



REFERENCES

- Abrikosov, A., Fundamental Theory of Metals, pp.315-316, North-Holland, 1988.
- _____, Fundamental Theory of Metals, pp.412-414, North-Holland, 1988.
- _____, A.A., Sov. Phys. JEPT., 5, 1174-1182, 1957.
- Allen, M.P. and D.J. Tildesley, Computer Simulation of Liquids, pp.5, Oxford U. Press, New York, 1987.
- Arfken, G., Mathematical Methods for Physicists, 3rd ed., pp.944, Academic Press, Inc., 1985.
- Ashcroft, N.W., and N.D. Mermin, Solid State Physic, pp. 739, Holt, Rienhart and Winston, Inc., New York, 1976.
- Bardeen, J., *et al.*, Phys. Rev. 79, 167, 1950.
- _____, *et al.*, Phys. Rev. 80, 567, 1950.
- _____, *et al.*, Phys. Rev., 108, 1175-1204, 1957.
- Baxter, R.J., *et al.*, Exactly Solved Models in Statistical Mechanics, Academic Press, London, 1982.
- Bednorz, J.G. and K.A. Muller, Z. Phys. B 64, 189-193, 1986.
- Brandt, E.M., Phys. Stat. Solidi. B 51, 345, 1972.
- Cooper, L.N., Phys. Rev. 104, 1189, 1956.
- _____, Phys. Rev. 145, 526, 1956.
- Daver, B.S. and W.M. Fairbank, Phys. Rev. Lett., 7, 43, 1961.
- de Gennes, P.G., Superconductivity of Metal and Alloys, 2nd ed., pp.51, Addison-Wesley Publishing Company, Inc., New York, 1989.
- _____, Superconductivity of Metal and Alloys, 2nd ed., pp.55, Addison-Wesley Publishing Company, Inc., New York, 1989.

- _____, Superconductivity of Metal and Alloys, 2nd ed., pp.66-69, Addison-Wesley Publishing Company, Inc., New York, 1989.
- Doria, M.M., *et al.*, Phys. Rev. B 41, 6335, 1990.
- Du, Q., *et al.*, Phys. Rev. B 46, 9027, 1992.
- Duzer, T.V. and C.W. Turner, Principles of Superconductive Devices and Circuits, pp. 277, Elsevier North Holland, Inc., 1981.
- Fetter, L.F. and J.D. Walecka, Quantum Theory of Many-particles Systems, pp. 416, McGraw Hill, Inc., New York, 1971.
- _____, Quantum Theory of Many Particles Systems, pp.415, McGraw-Hill, New York, 1971.
- _____, Quantum Theory of Many Particles Systems, pp.434, McGraw-Hill, New York, 1971.
- _____, Quantum Theory of Many Particles Systems, pp.435, McGraw-Hill, New York, 1971.
- File, F. and R.G. Mills, Phys. Rev. Lett., 10, 93, 1963.
- Fröhlich, H., Phys. Rev. 79, 845, 1950.
- Garner, J., and R. Benedeck, Phys. Rev. 42 , 6027, 1990.
- Ginzburg, V.L. and L.D. Landau, Zh. Eksp. Teor. Fiz., 20, 1064, 1950.
- Gorkov, L.P., Sov. Phys. JETP., 9, 1364, 1959.
- Jackson, J.D, Classical Electrodynamics, pp. 177, John Wiley & Sons, Inc., New York, 1962.
- _____, Classical Electrodynamics, pp. 138, John Wiley & Sons, Inc., New York, 1962.
- _____, Classical Electrodynamics, pp.312, John Wiley & Sons, Inc., New York, 1962.
- Keesom, W.H. and J.A. Kok, Comm. Phys. Lab. Univ. Leiden, 221e, 1932.
- Kirkpatrick, S., *et al.*, Science, 220, 671, 1983.

- Kittel, C., Introduction to Solid state Physics, 6th ed., pp. 335, John Wiley & Sons, Inc., 1986.
- _____, Introduction to Solid state Physics, 6th ed., pp. 342, John Wiley & Sons, Inc., 1986.
- _____, Introduction to Solid state Physics, 6th ed., pp. 321, John Wiley & Sons, Inc., 1986.
- Kleiner, W.H., et al., Phys. Rev. 133 , No. 5A, A1126 , 1964.
- Landau, L.D. and E.M. Lifshitz, Quantum Mechanics, pp. 454, Pergamon Press, 1977.
- Lifshitz, E.M. and L.P. Pitaevskii, Statistical Physics, Part 2, pp. 181, Pergamon Press, 1980.
- London, F. , Superfluids, vol.1, Dover Publications, Inc., New York, 1961.
- _____, and H. London, Proc. Roy. Soc. London, A 149, 71, 1935.
- _____, Superfluids vol I, pp. 152, John Wiley, & Sons, New York, 1950.
- _____, Superfluids, Dover Publications, Inc., New york, 1974.
- Meissner, N. and Ochsenfeld, R., Naturwissenschaften, 21, 787, 1933.
- Metropolis, N., J. Chem. Phys. 21, 1087, 1953.
- Murphy, D.W., et al., Phys. Rev. Lett., 581, 1888, 1987.
- Onnes, H.K., Comm. Phys. Lab. Univ. Leiden, 119, 120, 1911.
- _____, H.K., Comm. Phys. Lab. Univ. Leiden, 139f, 1914.
- Parkin, S.S.P. et al., Phys. Rev. Lett. 60, 2539, 1988.
- Poulter, J. , The Lecture Notes on Ginzburg-Landau Theory, Forum for Theoretical Science, Chulalongkorn University, 1991.
- Press, W.H. and S. A. Teukolsky, Computer in Physics, 5, No4, 426, 1991.
- _____, et al., Numerical Recipes: The Art of Scientific Computing, pp. 289-334, Cambridge U. Press., New York, 1986.
- Rose-Innes, A.C., and E.H. Rhoderich, Introduction to Superconductivity, 2nd ed., pp.183-185, Pergamon Press, New York, 1978.

- _____, Introduction to Superconductivity, 2nd ed., pp.19, Pergamon Press,
New York, 1978.
- _____, Introduction to Superconductivity, 2nd ed., pp.35, Pergamon Press,
New York, 1978.
- _____, Introduction to Superconductivity, 2nd ed., pp.74, Pergamon Press ,
New York, 1978.
- _____, Introduction to Superconductivity, 2nd ed., pp.78, Pergamon Press,
New York, 1978.
- _____, Introduction to Superconductivity, 2nd ed., pp.83, Pergamon Press,
New York, 1978.
- _____, Introduction to Superconductivity, 2nd ed., pp.189, Pergamon Press,
New York, 1978.
- Ruffolo, D. and P. Boolchand, Phys. Rev. Lett. 55, 242, 1985.
- Sheng, Z.Z., and A.M. Herman, Nature 332, 55, 1988.
- Shoenberg, D., Superconductivity, 2nd ed., Cambridge University Press,
Cambridge, 1965.
- Silsbee, F.B., J. Wash. Acad. Sci. 6, 597, 1916.
- Silverman, A. and J. Addler, Computer in Physics, 6, No3, 277, 1992.
- Subramanian, M.A., *et al.*, Nature 239, 1015, 1988.
- Tarascon, J.M., *et al.*, Phys. Rev. B 38, 8885, 1988.
- Taylor, P.L., A Quantum Approach to the Solid State, pp.242., Prentice-Hall, Inc.,
1970.
- Tinkham, M., Introduction to Superconductivity, pp. 3, Science Publisher, New York,
1975.
- _____, Introduction to Superconductivity, pp. 114-115, Science Publisher,
New York, 1975.
- _____, Introduction to Superconductivity, pp. 144-157, Science Publisher,

- New York, 1975.
- _____, Introduction to Superconductivity, pp. 144-157, Science Publisher,
New York, 1975.
- Torardi, C.C., *et al.*, Nature 240, 631, 1988.
- Träuble, H. and U. Essmann, J. App. Phys. 39, No. 9, 4052-4059, 1968.
- Vecchi, M.P. and S. Kirkpatrick, IEEE Trans. Comput. Aided Design. CAD-2, 215,
1983.
- Wang, Z.D. and C.R. Hu, Phys. Rev. B. 44, 11918, 1991.
- Wu, M.K., *et al.*, Phys. Rev. Lett. 58, 908, 1987.
- Zimmerman, J.E. and J.E. Mercereau, Phys. Rev. Lett., 14, 887, 1965.

APPENDIX A

```

C ****
C ## PROGRAM NAME: GLIDI.FOR
C ## Author: Tanin Nutaro
C ## Advisors: Dr. Julian Poulter, Dr. David Ruffulo,
C               Prof. Virulh Sa-yakanit.
C ## Last update: July/19/1992
C ## Purpose: minimizing the Gibbs free energy
C
C     g=-|psi|^2+0.5|psi|^4+grad(psi)^2+q^2psi^2+k^2(curl(q)-H)^2.
C
C ## Output file 1> GLIDI.out :: psi, q, Hint data file.
C                 2> Est.out   :: initial input data and the best
C                               free energy estimation.
C Method of integration :: Trapezoid rule.
C ****
C A1,A2 are the location points of the sample in coherence length unit
C PSI is the orderparameter
C Q is the supervelocity :(Q <- A+grad(phi))
C HEXT is the external magnetic field
C Hint is the internal magnetic field
C N is the number of strip for integration
C KAPPA is the Ginzburg-Landau parameter(k)
C TOL is the tolerance
C
C
      REAL *8 F,A1,A2,X,SUM,H,est,tol,z,psi,psi0,Q,Q0,HINT,HEXT,KAPPA
      DIMENSION PSI(5009),psi0(5009),A(5009)
      DIMENSION Q(5009),Q0(5009),HINT(5009)
C
      INTEGER N,np
C make a decision to start program from the real initial condition
C or to read the previous data files(GLIDI.out & EST.out).
C
      logical start
      DATA N/100/
      PRINT *, 'Input A1,A2'
      READ *, A1,A2
      print*, 'Input hext, kappa'
      read*, hext,kappa
      print*, 'Type 'T' if you want to start program'
      print*, 'Type 'F' if you want to read data files'
      read*, start
      np=n+1
C
C generate the coefficient of trapezoid rule for integration
C
      do 1 i=2,np
1       a(i)=2.d0
           a(1)=1.d0
           a(np)=1.d0
           h=(a2-a1)/dfloat(n)

```

```

C
      tol=1.d-1
      IF(start)then
C
C   generate initial values for psi=1.0 ans q=0.0 everywhere.
C
      est=1.d50
      DO 5 i=1,np
          psi(i)=1.d0
          psi0(i)=psi(i)
          q(i)=0.d0
          q0(i)=q(i)
5       continue
      ELSE
C
C   the second condition to read the previous data files
C
      open(7,file= 'est.out')
      read(7,*)est
      close(7)
      open(8,file= 'glldi.out')
      DO 12 j=1,np
          read(8,123)i,psi(j),q(j),hint(j)
          psi0(j)=psi(j)
12       Q0(j)=Q(j)
      close(8)
C
      ENDIF
C
C   start counting
C
      kount=0
      kx=0
      500    call func(psi,Q,np,tol)
C
      hint(1)=(q(2)-q(1))/h
      do 796 i=2,(np-1)
796      hint(i)=.5d0*(q(i+1)-q(i-1))/h
      hint(np)=(q(np)-q(np-1))/h
C
C   SUM is the result of integration
      SUM=0.D0
      DO 2 I=1,NP
2       SUM=SUM+F(Psi,Q,NP,I,H,HEXT,KAPPA,hint(i))*a(i)
C
      SUM=H*SUM/2.d0
C
C   if SUM is less than the previous one set kx to kx+1
      if(sum.lt.est)then
          kx=kx+1
          print *, 'better estimate ',sum,TOL
          kount=0
          est=sum
          DO 550 i=1,np
              psi0(i)=psi(i)
              q0(i)=q(i)
550          if(kx.eq.100)then
              kx=0

```

```

        open(7,file='est.out')
          write(7,*)est,A1,A2,n,kappa,hext,tol
        close(7)
        open(8,file='gl1di.out')
      DO 600 i=1,np
600      write(8,123)i,psi(i),Q(I),HINT(I)
          close(8)
        endif
      else
C   set Kount to Kount+1
      kount=kount+1
      DO 700 i=1,np
        psi(i)=psi0(i)
700      q(i)=q0(i)
      endif
C
C   if more than 250 tries but can't get the better result,
C   change tolurence

      if(kount.gt.250)then
        TOL=0.5D0*TOL
        write(6,*)tol
        kount=0
      endif
C
C   until the TOL < 1.0e-6 :save the final result and the stop program
C
      IF (TOL .LT. 1.D-6) then
        open(7,file='est.out')
          write(7,*)est,a1,a2,n,kappa,hext,tol
        close(7)
        open(8,file='gl1di.out')
      DO 450 i=1,np
450      write(8,123)i,psi(i),Q(i),HINT(I)
123      Format (I4,2x,3(f15.7,2x))
          close(8)
        STOP
      ENDIF
      goto 500
      STOP
    END

C   @@@@@@@@@@@@@@@@@@@@ SUBROUTINE FUNC(PSI,Q,NP,TOL)
C   @@@@@@@@@@@@@@@@@@@@ C
C   The main purpose of this subroutine is to adjust the value
C   of psi, q  randomly
C
      REAL*8 A,B,tol,psi,Q,y,z
      REAL*4 URAND
      INTEGER SEED
      DIMENSION PSI(NP),Q(NP)
          save seed
      DATA SEED/0/
      rand=urand(seed)
      DO 3 I=1,NP
        if(rand.le..1)then
          y=psi(i+1)-2.0*psi(i)+psi(i-1)

```



```

a=.25d0*y
else
A=2.D0*(URAND(SEED)-.5)*TOL
endif
PSI(I)=PSI(I)+A
psi(1)=0.d0
psi(np)=0.d0
3 IF(PSI(I).LT.0.D0)PSI(I)=0.D0
DO 2 I=1,np
if(rand.le..1.and.i.ne.1.and.i.ne.np) then
z=q(i+1)-2.0*q(i)+q(i-1)
a=.25d0*z
else
A=2.D0*(URAND(SEED)-.5)*TOL
endif
2 Q(I)=Q(I)+A
RETURN
END
C -----
C FUNCTION F(PSI,Q,NP,INDEX,H,HEXT,KAPPA,hint)
C -----
C The main function for free energy calculation

REAL*8 F,A,B,C,D,E,h,psi,Q,HEXT,KAPPA,curl,hint
DIMENSION PSI(NP),Q(NP)
A=PSI(INDEX)
B=PSI(INDEX+1)
D=Q(INDEX)
E=Q(INDEX+1)
if(index.eq.np)b=0.d0
if(index.eq.np)e=d
F=A*A
C=(B-A)/H
CURL=hint-HEXT
F=-F+.5D0*F*F+C*C+D*D+F+KAPPA*KAPPA*CURL*CURL
RETURN
END
C ****
C FUNCTION URAND(IY)
C ****
C UNIFORM RANDOM NUMBER GENERATOR.
C INITIALISE IY PRIOR TO FIRST CALL.
C CALLING PROGRAMME MUST NOT ALTER IY BETWEEN CALLS.
C VALUES OF URAND ARE RETURNED IN THE INTERVAL (0,1).
C

REAL*8 HALFM
SAVE IA,IC,M2,S
DATA M2/0/,ITWO/2/
IF(M2.NE.0)GOTO 20
C
C IF FIRST ENTRY, COMPUTE MACHINE INTEGER WORD LENGTH.
C
M=1
10 M2=M
M=ITWO*M2

```

```

IF(M.GT.M2)GOTO 10
HALFM=M2
C
C          COMPUTE MULTIPLIER AND INCREMENT FOR LINEAR CONGRUENTIAL
C          METHOD .
C
IA=8* IDINT(HALFM*Datan(1.D0)/8.D0)+5
IC=2* IDINT(HALFM* (.5D0-DSQRT(3.D0)/6.D0))+1
MIC=(M2-IC)+M2
C
C          S IS THE SCALE FACTOR FOR CONVERTING TO FLOATING POINT .
C
S=.5/HALFM
C
C          COMPUTE NEXT RANDOM NUMBER
C
20 IY=IY* IA
C
C          THE FOLLOWING STATEMENT IS FOR COMPUTERS WHICH DO NOT
C          ALLOW INTEGER OVERFLOW ON ADDITION .
C
C          IF(IY.GT.MIC)IY=(IY-M2)-M2
C
IY=IY+IC
C
C          THE FOLLOWING STATEMENT IS FOR COMPUTERS WHERE THE
C          WORD LENGTH FOR ADDITION IS GREATER THAN FOR MULTIPLICATION .
C
C          IF(IY/2.GT.M2)IY=(IY-M2)-M2
C
C          THE FOLLOWING STATEMENT IS FOR COMPUTERS WHERE INTEGER
C          OVERFLOW AFFECTS THE SIGN BIT .
C
C          IF(IY.LT.0)IY=(IY+M2)+M2
C
URAND=FLOAT(IY)*S
RETURN
END
C

```

คุณย์วิทยากรรัพยากร
 จุฬาลงกรณ์มหาวิทยาลัย

APPENDIX B

```

#include <math.h>
#include <stdio.h>
#define NROWS 19
#define NDIM 1121 /* Must be 3*NROWS^2 + 2*NROWS. */
#define FIRST_T 1
#define FRACTION 0.5
#define LAST_T 0.00001
/* Last modified :: 30 SEP 1992
initial condition : psi[] = 0.0
                     qx[], qy[] = 0.0
                     length = 20.0
                     kappa = 3.0
                     hext = 0.5
number of change points 300
*/
double hext, kappa, length;
double bests[NDIM+1], s[NDIM+1], ds[NDIM+1];
double ss;
unsigned long ia, ic, iy = 2847, m2 = 0;
long better;
int iff=0;
main()
{
    double dy, newfe, oldfe, qx ;
    int ans, i, j, select;
    long total;
    double update(), f();
    void printout(), previous();
    length=20.0;
    kappa=3.0;
    hext=0.50;
}

```

```

dy = length/((double)NROWS+1);
printf("\n This is the best program for simulated annealing \n");
printf("\n");
printf("enter 0 to start program from initial condition\n");
printf("    1 to read the previous data files \n");
scanf("%d", &select);
/*      select=1; */
if(select == 1){ previous();}
else {
    for (j=1;j<=NROWS*NROWS;j++) {
        s[j] = bests[j] = 0.5 ;
        range[j]=0.01;
    }
    for(i=(NROWS*NROWS)+1,qx= 0.0;i<=2*(NROWS*NROWS)+NROWS;i++) {
        bests[i] = s[i] = qx;
        if (!((i-NROWS*NROWS) % (NROWS+1))) qx = 0.0;
        range[i]=0.01;
    }
    for(i=2*(NROWS*NROWS)+NROWS+1;i<=3*(NROWS*NROWS)+2*NROWS;i++){
        bests[i] = s[i] = 0.0 ;
        range[i]=0.01;
    }
    t = FIRST_T;
}
/* Start here */
for(i=1; i<=NDIM+1; i++) { range[i] = 0.01 ;}
better = 0;
total = 0;
oldfe = f(s);
printf("oldfe =====%lf\n",f(s));
for (t = FIRST_T;t >= LAST_T;) {
    for(better = 0;better <= 10*NDIM;) {

```

```

if (ans=update(&newfe,&oldfe,&t)) {
    printf("b ");
    oldfe = newfe;
    for (i=1;i<=NDIM;i++) bests[i] = s[i];
    better++;
    total++;
    if (!(better % 100)) {
        printf(" better = %d, total = %d, newfe = %lf\n",
               better, total, newfe);
        printout();
        sleep(2);
    }
} else {
    printf("w ");
    total++;
}
}
t *=FRACTION;
}
}

```

```

double update(newfe,oldfe,t)
double *newfe, *oldfe, *t;
{
    double      de, random;
    int         i, k;
    static long int seed=1278;

    double ran();
    double f();
    for(i=1;i<=300;i++){
        random=NDIM*ran(&seed);
        k=random+1;
        if(random+1-k<0.5){
            s[k]=bests[k]+range[k];
        } else {

```

```

s[k]=bests[k]-range[k];
}
if (k <= NROWS*NROWS) s[k] = fabs(s[k]);
}

*newfe = f(s);
/* printf("NeW fe of up date==%lf\n",f(s)); */
de = *newfe - *oldfe;
return(de < 0.0 || ran(&seed) < exp(-de/ *t));
}

/* RAN --> UNIFORM RANDOM DEVIATE BETWEEN 0 AND 1.

```

NEGATIVE ARGUMENT REINITIALIZES SEQUENCE.

THIS ROUTINE IS FAST, PORTABLE, AND FREE OF
SEQUENTIAL CORRELATIONS. OUTPUT IS LIMITED
INTEGERS DIVIDED BY 714,025.

from NUMERICAL RECIPES IN C (ran2)

*/

```

#define M 714025
#define IA 1366
#define IC 150889

```

double ran(idum)

long *idum;

{

int j;

void nrerror();

if (*idum < 0 || iff == 0) {

/* INITIALIZE SEQUENCE */

```

iff=1;
if ((*idum=(IC-(*idum)) % M) < 0) *idum = -(*idum);
for (j=1;j<=97;j++) {
    *idum=(IA*(*idum)+IC) % M;
    ir[j]=(*idum);
}
*idum=(IA*(*idum)+IC) % M;
iy=(*idum);
}

/* START HERE UNLESS INITIALIZING.      */
/* RANDOMLY SELECT NUMBER FROM SEQUENCE. */

j=1 + 97.0*iy/M;
if (j > 97 || j < 1) nrerror("RAN: This cannot happen.");
iy=ir[j];
*idum=(IA*(*idum)+IC) % M;
ir[j]=(*idum);
return (double) iy/M;
}

double f(s)
double *s;
{
    double dq1dy, dq2dx, dsdx, dsdy, dx, dy, fe=0.0, *q1, *q2, feinc;
    double s2, qx2, qy2,sud,slr,qll,qlr,qul,qur,qle,que,qre;
    double curl1, curl2;
    int    jx, jy, qxoffset, qyoffset, softset;

/* Set the pointer q to point to s+n. Thus the second half of
   the vector s is referred to as q.
*/
q1 = s + NROWS*NROWS;
q2 = s + 2*NROWS*NROWS + NROWS;

```

```

dy = dx = length / (double)(NROWS+1);

/* Contribution from lattice points: inside the boundary */

for (jy=1;jy<=NROWS;jy++) {
    soffset = (jy-1)*NROWS;
    qxoffset = (jy-1)*(NROWS+1);
    qyoffset = (jy-1)*NROWS;
    for (jx=1;jx<=NROWS;jx++) {
        s2 = s[soffset+jx]*s[soffset+jx];
        qx2 = (q1[qxoffset+jx]+q1[qxoffset+jx+1])
            * (q1[qxoffset+jx]+q1[qxoffset+jx+1]) / 4;
        qy2 = (q2[qyoffset+jx]+q2[qyoffset+jx+NROWS])
            * (q2[qyoffset+jx]+q2[qyoffset+jx+NROWS]) / 4;
        fe += -s2 + 0.5*s2*s2 + s2*qx2 + s2*qy2;
    }
}

/* Contribution from lattice points: on the boundary
   Boundary conditions: s = 0 at boundary
*/
/* No contribution from boundary points! psi(edge) = 0. */

/* For Grad(psi)^2 : ((Sup-Sdown)/dy)^2 + ((Sright-Sleft)/dx)^2 */
for (jx=1; jx<=NROWS-1;jx++)
{
    for(jy=1;jy<=NROWS-1;jy++)
    {
        sud=((s[(jy)*NROWS+jx]-s[(jy-1)*NROWS+jx])/dy); /*sud=s(up-down)/dy*/
        slr=((s[(jy-1)*NROWS+jx+1]-s[(jy-1)*NROWS+jx])/dx);/*slr=sleft-right*/
        fe += (sud*sud) + (slr*slr);
    }
}

/* at the boundary: only edges */

```

```

        /* Lower edge */
for (jx=1; jx<=NROWS;jx++)
{
    sud=((s[jx]-0) / dy); /*sud=s(up-down)/dy*/
    fe += (sud*sud);
}

/* Upper edge */

for (jx=1; jx<=NROWS;jx++)
{
    sud=((0-s[(NROWS-1)*NROWS+jx])/dy); /*sud=s(up-down)/dy*/
    fe += (sud*sud);
}

/* Left edge */

for(jy=1;jy<=NROWS;jy++)
{
    slr=((s[(jy-1)*NROWS+1] - 0) / dx);/*slr=sleft-right*/
    fe += (slr*slr);
}

/* Left edge */

for(jy=1;jy<=NROWS;jy++)
{
    slr=((0-s[(jy-1)*NROWS+NROWS]) / dx);/*slr=sleft-right*/
    fe += (slr*slr);
}

/* For the term k^2*(curlQ-hext)*/

for (jy=1;jy<=NROWS-1;jy++) {
    soffset = (jy-1)*NROWS;
}

```

```

q xOffset = (jy-1)*(NROWS+1);
q yOffset = jy*NROWS;
for (jx=1;jx<=NROWS-1;jx++) {
    curl1=(q2[q yOffset+jx+1]-q2[q yOffset+jx]);
    curl2=(q1[jy*(NROWS+1)+jx+1]-q1[q xOffset+jx+1]);
    feinc =kappa*kappa*(((curl1-curl2)/dx)-hext)*(((curl1-curl2)/dx)-hext);
    fe += feinc;
}
/* For the boundary */

/* Corners, upper edge, lower edge -> all 0 (Qx free to make them zero) */

fe *= dx * dy;
/* printf("f: fe = %12lf\n",fe); */
return(fe);
}

void printout()
{
FILE *fp_s,*fp_q1,*fp_q2,*fp_h ,*fp_e;
int i,j,k,l;
double dx, hint, *s, *q1, *q2;

void nrerror();
dx=length/(double)(NROWS+1);

/* printf(" %lf\n",f(p)); */

fp_s = fopen("psi3.dat","w");
fp_q1 = fopen("qone3.dat","w");
fp_q2 = fopen("qtwo3.dat","w");
fp_h = fopen("hint3.dat","w");
fp_e = fopen("free3.dat","a");
q1 = p + NROWS*NROWS;
}

```

```

q2 = p + 2*NROWS*NROWS + NROWS;

for (k=1;k<=NROWS;k++) {
    for (l=1;l<=NROWS;l++) {
        fprintf(fp_s," %4d %4d %12lf\n",k,l,bests[(l-1)*NROWS+k]);
    }
}
for (k=1;k<=NROWS+1;k++) {
    for (l=1;l<=NROWS;l++) {
        fprintf(fp_q1," %4d %4d %12lf\n",k,l,q1[(l-1)*(NROWS+1)+k]);
    }
}
for (k=1;k<=NROWS;k++) {
    for (l=1;l<=NROWS+1;l++) {
        fprintf(fp_q2," %4d %4d %12lf\n",k,l,q2[(l-1)*NROWS+k]);
    }
}
for (k=1;k<=NROWS-1;k++) {
    for (l=1;l<=NROWS-1;l++) {
        hint = (q2[l*NROWS+k+1]-q2[l*NROWS+k]
            -q1[l*(NROWS+1)+k+1]+q1[(l-1)*(NROWS+1)+k+1])/dx;
        fprintf(fp_h," %4d %4d %12lf\n",k,l,hint);
    }
}
fprintf(fp_e,"%6d %lf %f\n",better/100,f(p),t);

fclose(fp_s);
fclose(fp_q1);
fclose(fp_q2);
fclose(fp_h);
fclose(fp_e);
}

void previous()
{
    FILE *fsc_s, *fsc_q1, *fsc_q2 ;
    int i, j, k, l;
    double *q1, *q2 ;
}

```

```

void nrerror();

printf("Hello..\n");
printf("hereeeeeee");
fflush(stdout);

fsc_s = fopen("psi3.dat","r");
fsc_q1 = fopen("qone3.dat","r");
fsc_q2 = fopen("qtwo3.dat","r");

for(k=1;k<=NROWS;k++){
    for(l=1; l<=NROWS; l++){
        for (i=1; i<= NROWS*NROWS; i++) {
            fscanf(fsc_s,"%4d%4d%12lf",&k,&l,&s[i]);
/* printf("s[%d] = %lf\n ", i, s[i]); */
            bests[i] = s[i];
        }
    }
}

for(k=1; k<=NROWS+1;k++){
    for(l=1; l<=NROWS; l++){
        for(i=(NROWS*NROWS)+1; i<=2*(NROWS*NROWS)+NROWS ; i++)
{
            fscanf(fsc_q1,"%4d%4d%12lf",&k,&l,&s[i]);
/* printf("s[%d] = %lf\n ", i,s[i]); */
            bests[i] = s[i];
        }
    }
}

for(k=1;k<=NROWS ; k++){
    for(l=1; l<=NROWS+1; l++){
        for(i=2*(NROWS*NROWS)+NROWS+1 ; i<= 3*(NROWS*NROWS)+(2*NROWS); i++)
{
            fscanf(fsc_q2,"%4d%4d%12lf",&k,&l,&s[i]);
            bests[i] = s[i];
        }
    }
}

```

```
/*      printf("s[%d] = %lf\n", i, s[i]); */  
    }  
}  
}  
}  
fclose(fsc_s);  
fclose(fsc_q1);  
fclose(fsc_q2);  
printf("What is the last temperature\n");  
scanf("%lf",&t);  
}
```

ศูนย์วิทยทรัพยากร จุฬาลงกรณ์มหาวิทยาลัย

CURRICULUM VITAE

Mr. Tanin Nutaro was born on September 10, 1961 in Surin. He received his B.Ed. degree in Physics from Srinakharinwirot Bangkhen University in 1984. During his study for a M.Sc. degree in physics at Chulalongkorn University, he received a scholarship from the University Development Commission of the National Council (U.D.C.) and he worked as a research assistant for the high-temperature superconductivity project, which was supported by the Science and Technology Development Board (STDB).



ศูนย์วิทยาธุรกิจ
 รุ่งอาจกรรณ์มหาวิทยาลัย