



REFERENCES

1. Den Hartog, J.P. Mechanical Vibration. 4th ed. New York: McGraw-Hill Book Co., 1956.
2. Biezeno, C.B., and Grammel, R. Engineering Dynamics. Vol. IV. Glasgow: Blackie & Son, 1954.
3. Cyril M. Harris, and Charles E. Crede. (eds.) " Shock and vibration in aircraft and missiles." Shock and Vibration Handbook. Vol.3 (1961)
4. Judge, A.W. Automobile and Aircraft Engines. Vol. I. 4th.ed. Great Britain: Pitman Press, 1947.
5. Morrison, J.L.M., and Crossland, B. An Introduction to the Mechanics of Machines. London: Longmans, 1966.
6. Hirokazu Nakamura; Mitsutaka Kinoshita, and Shiro Nemoto " A second-mode balancer system applied in the 4-cylinder automotive engine." Technical Review. Mitsubishi Heavy Industry. Vol.12 (1975).
7. Bruel & Kjaer. " Accelerometers types 4332/4335." Instructions and Applications. Reprint September 1971.
8. Bruel & Kjaer. " Impulse precision sound level meter type 2209." Instructions and Applications. Reprint October 1974.
9. Bruel & Kjaer. " Octavo-filter set type 1613." Instructions and Applications. November 1972.
10. Mitsubishi Motors Corporation. " Mitsubishi '80' engine." Japan.

11. Greene, A.B., and Lucas, G.G. The Testing of Internal Combustion Engines. London : English Universities Press, 1969.

APPENDIX

CALCULATION OF VIBROMOTIVE FORCE

Theoretical Calculation

Vibromotive force is given theoretically in Eq. (6) as

$$F_v = 4mr\omega^2 (A_2 \cos 2\theta + A_4 \cos 4\theta + \dots)$$

For second mode vibromotive force, it becomes

$$F_v = 4mr\omega^2 A_2 \cos 2\theta$$

Taking maximum value when $\cos 2\theta = 1$, it becomes

$$F = 4mr\omega^2 A_2 \tag{24}$$

Substitute appropriate values of both engines in Eq.(24).

(a) For conventional engine

Mass of piston, piston rings, gudgeon pin and retainer	= 617	gm.
One third of connecting mass	= $626.5 \div 3 = 208.8333$	gm.
	m = 825.8333	gm.
Stroke	= 2.098	in.
	r = $2.098 \div 2$	in.
	= $(2.098 \div 2) \times 2.54$	cm.
	= 2.6645	cm.
Length between centres of connecting rod,	l = 4.325	in.
	p = $r/l = 0.2427$	
	$A_2 = p + 1/4p^3 + 15/128p^5 + \dots = 0.2462$	

Eq.(24) with above values becomes

$$\begin{aligned}
 F_{\max} &= 4 \times 825.8333 \times 2.6645 \times (2\pi\omega)^2 \times .2462 \div 3600 \quad \text{gm-cm/sec}^2 \\
 &= 23.7636\omega^2 \times 10^5 \quad \text{kg-m/sec}^2 \quad (25)
 \end{aligned}$$

(b) For balanced engine

$$\begin{aligned}
 m &= 815.83 \quad \text{gm} \\
 r &= 45 \quad \text{mm} \\
 l &= 166.15 \quad \text{mm} \\
 p &= 0.2709 \\
 A_2 &= 0.276
 \end{aligned}$$

$$\begin{aligned}
 \text{Then, } F_{\max} &= 4 \times 815.83 \times 45 \times (2\pi\omega)^2 \times .276 \times 10^6 \div 3600 \quad \text{kg-m/sec}^2 \\
 &= 44.45 \times 10^5 \omega^2 \quad \text{kg-m/sec}^2
 \end{aligned}$$

Force produced by a pair of silent shafts in Eq.(21)

$$F_B = 8m_B r_B \omega^2 \cos(2\theta + \alpha)$$

$$m_B = 1400 \quad \text{gm}$$

$$\alpha = \pi$$

$$r_B = 3.62 \quad \text{mm}$$

$$\cos(2\theta + \pi) = -\cos 2\theta = -1$$

$$\begin{aligned}
 F_B &= 8 \times 1400 \times 3.62 \times (2\pi\omega)^2 \times (-1) \times 10^6 \div 3600 \quad \text{kg-m/sec}^2 \\
 &= -44.45 \times 10^5 \omega^2 \quad \text{kg-m/sec}^2
 \end{aligned}$$

Thus

$$F_{\max} + F_B = 0$$

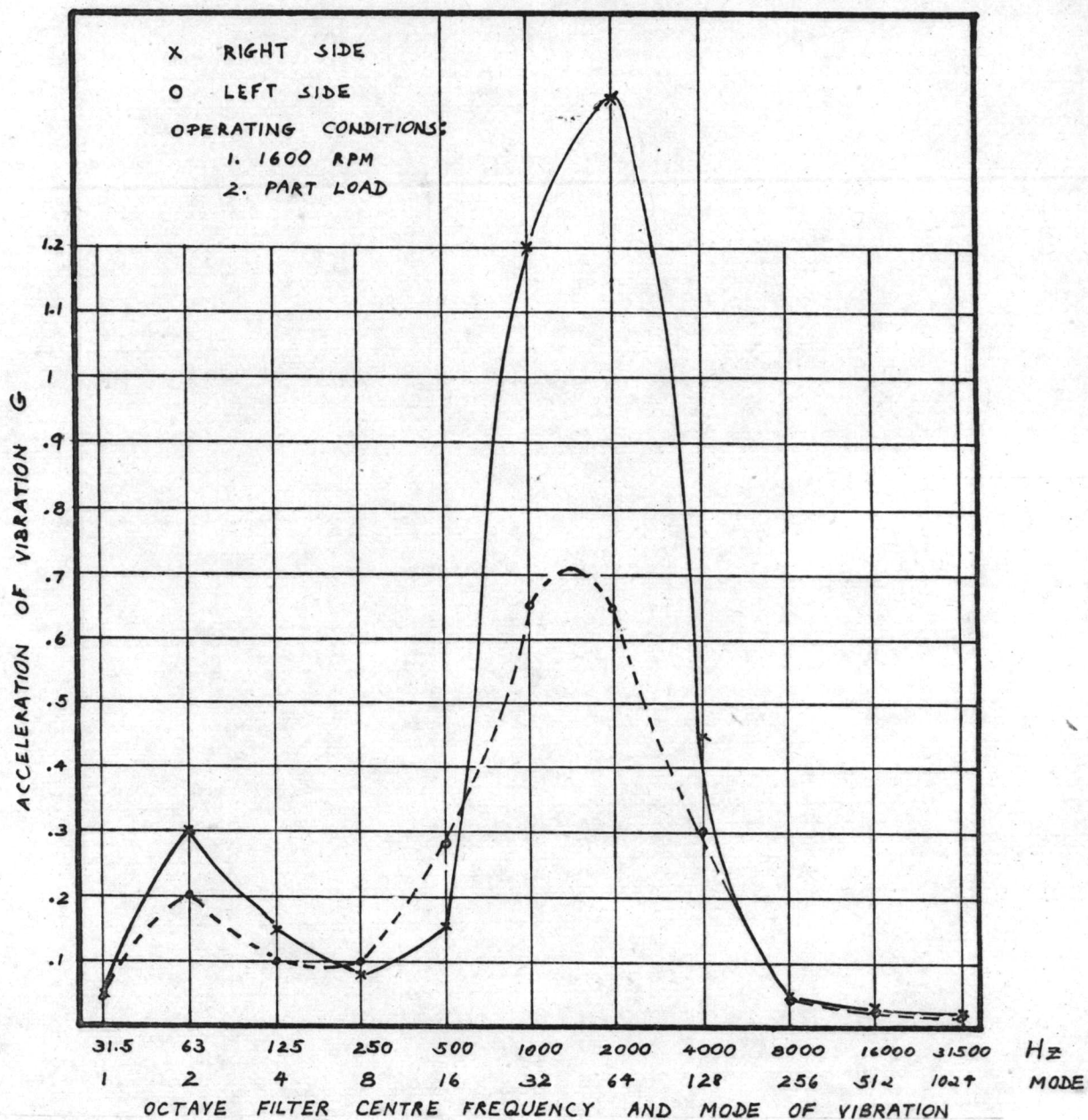


Fig.A-1 Acceleration of vibration plotted against mode of vibration at constant engine speed and part load

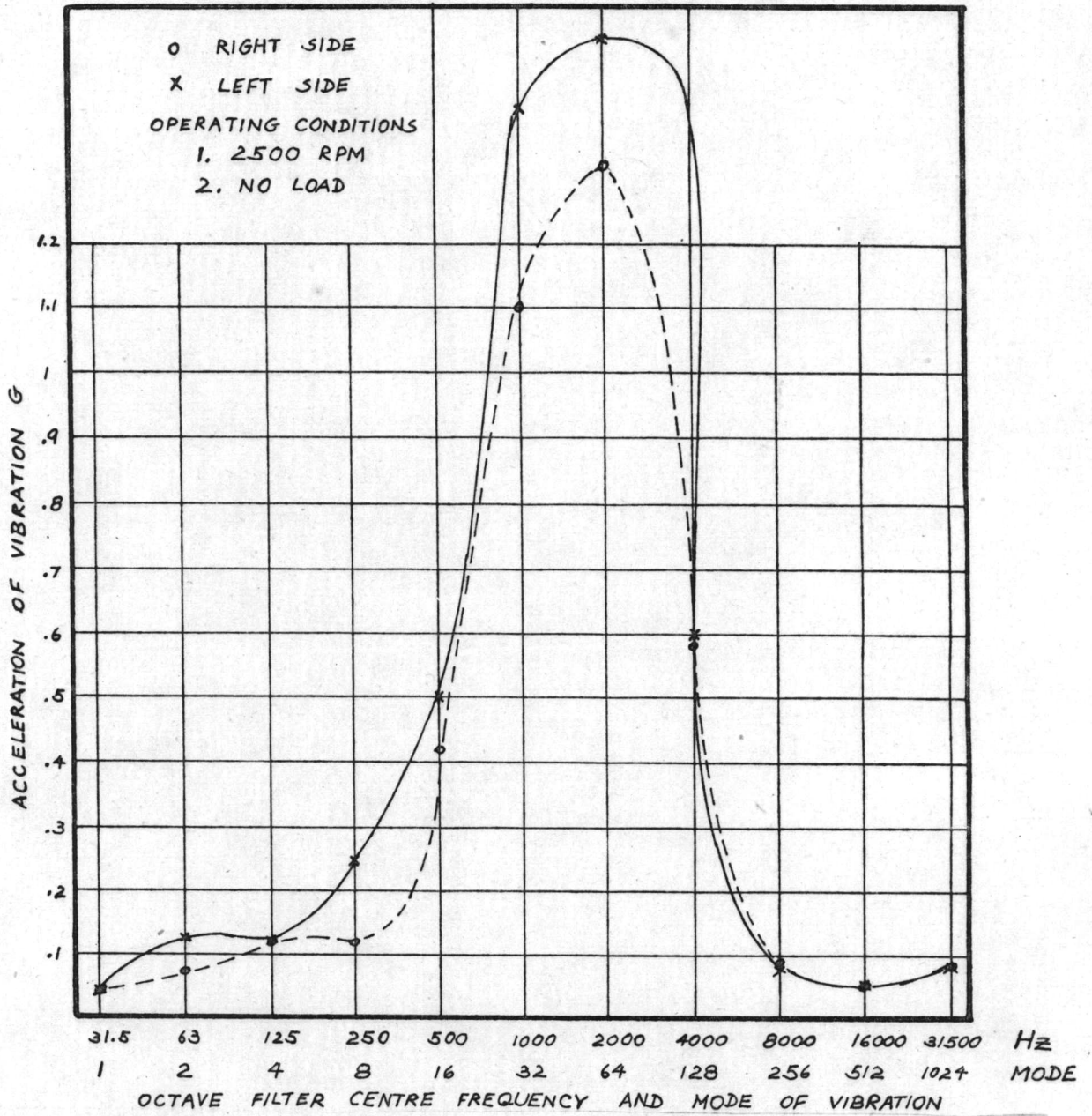


Fig.A-2 Acceleration of vibration plotted against mode of vibration at constant engine speed and no load

Experimental Calculation

Force produced by acceleration of vibration is

$$F = ma$$

where m = mass of engine

(a) For conventional engine

$$m \approx 130 \quad \text{kg}$$

$$\begin{aligned} F &= 130 \times G \times 9.81 \quad \text{kg-m/sec}^2 \\ &= 1275.3 G \quad \text{kg-m/sec}^2 \quad (\text{RMS}) \\ &= 1803.27 G \quad \text{kg-m/sec}^2 \quad (\text{Peak}) \quad (26) \end{aligned}$$

where G = acceleration of vibration in unit of g

(b) For balanced engine

$$m = 156 \quad \text{kg}$$

$$\begin{aligned} F &= 156 \times G \times 9.81 \quad \text{kg-m/sec}^2 \\ &= 1530.36 G \quad \text{kg-m/sec}^2 \quad (\text{RMS}) \\ &= 2163.92 G \quad \text{kg-m/sec}^2 \quad (\text{Peak}) \quad (27) \end{aligned}$$

For fourth mode vibromotive force, the calculations are similar by replacing A_2 with A_4 given in Table 2-1.

Results of secondary vibromotive forces are given in Table A-1 and Table A-2. These values are plotted in Fig. 4-17.

RPM	F	G	F	G	F
	Eq.25	no load	no load Eq.26	full load	full load Eq. 26
1000	237.64	.13	234.43	.36	649.18
1500	534.68	.32	577.05	.4	721.31
2000	950.54	.54	973.77	.55	991.8
2500	1485.23	.79	1424.58	.81	1460.68
3000	2138.72	1.17	2109.83	1.2	2163.93
3500	2911.04	1.6	2885.23	1.7	3065.56
4000	3802.17	1.9	3426.21	2.0	3606.54
4500	4812.13	2.42	4363.91	2.5	4508.18

Table A-1 Comparison Between Experiment and Theoretical Values of
Secondary Vibromotive Force for Conventional Engine

RPM	F	G	F	G	F
	theory	no load	no load Eq.27	full load	full load Eq.27
1000	-	.13	281.31	.5	1081.96
1500	-	.115	248.85	.5	1081.96
2000	-	.078	168.79	.6	1298.35
2500	-	.05	108.20	.57	1233.43
3000	-	.18	389.51	.6	1298.35
3500	-	.3	649.18	.65	1406.55
4000	-	.4	865.57	.72	1558.02
4500	-	.5	1081.96	.75	1622.94
5000	-	.55	1190.16	.78	1687.86

Table A-2 Experimental Values of Secondary Vibromotive Force for
Balanced Engine

VITA

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