



REFERENCES

1. Gaafar, I. "Hipped Plate Analysis Considering Joint Displacement." Transaction American Society of Civil Engineers 119 (1954) : 743.
2. Scordelis, A. C. "Matrix Formulation of the Folded Plate Equations." Journal of the Structural Division, American Society of Civil Engineers 86 (1960) : 1.
3. Meek, J. L. "Matrix Derivation of Folded Plate Equations." Journal of the Structural Division, American Society of Civil Engineers 89 (1963) : 77.
4. The Task Committee on Folded Plate Construction, "Phase I Report on Folded Plate Construction." Journal of the Structural Division, American Society of Civil Engineers 89 (1963) : 365.
5. Allen, D. N. de G., and Savern, S. T. "Composite Action Between Beams and Slabs under Transverse Load." The Structural Engineer 39 (1961).
6. ACI Committee 318. Building Code Requirement for Reinforced Concrete. Detroit : American Concrete Institute, 1971.
7. Timoshenko, S. P., and Woinowsky-Krieger, S. Theory of Plates and Shells. 2nd ed. New York : McGraw-Hill Book Co., 1959.
8. Timoshenko, S. P., and Goodier, J. N. Theory of Elasticity. 3d ed. New York : McGraw-Hill Book Co., 1970.

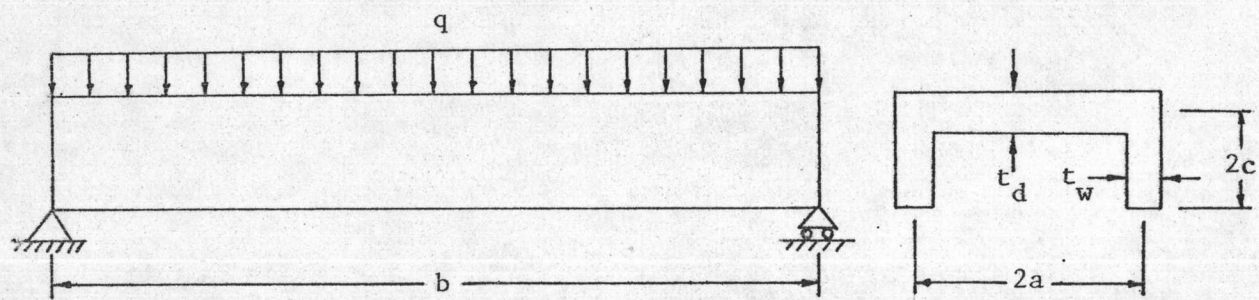


Fig. 1 Simply Supported Inverted Channel Floor Unit.

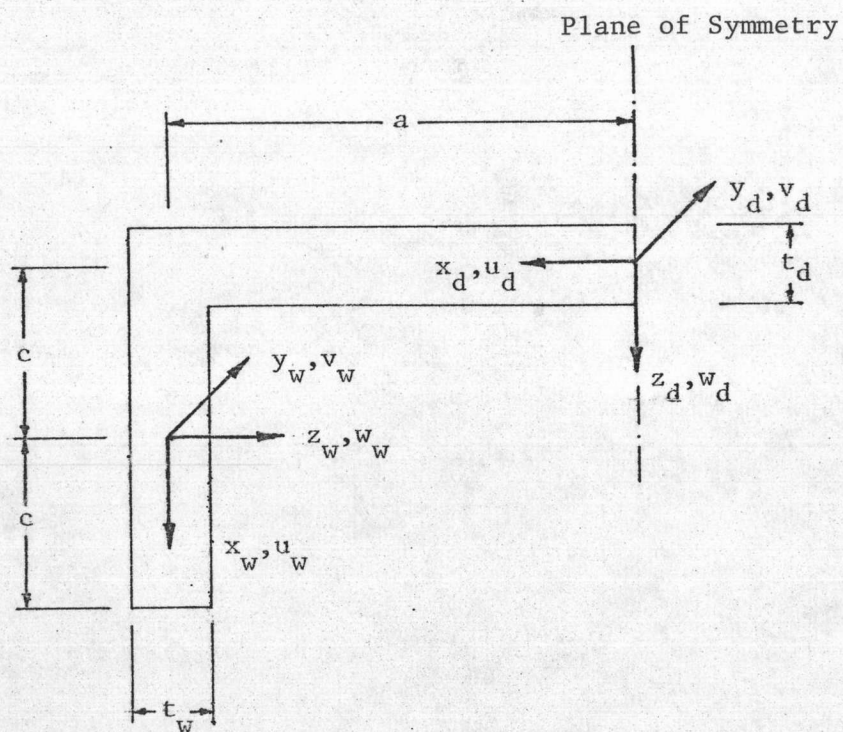
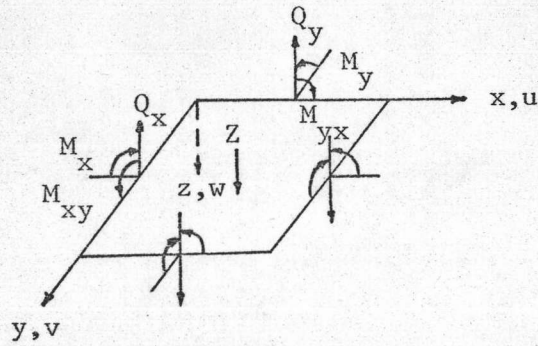
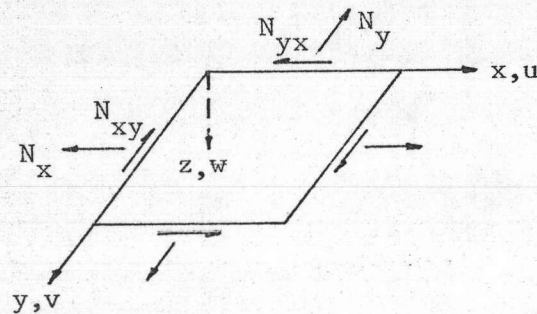


Fig. 2 Orientation of Coordinate Axes.



a) Bending Stress Resultants.



b) Membrane Stress Resultants.

Fig.3 Positive Directions of Stress Resultants and Load Components.

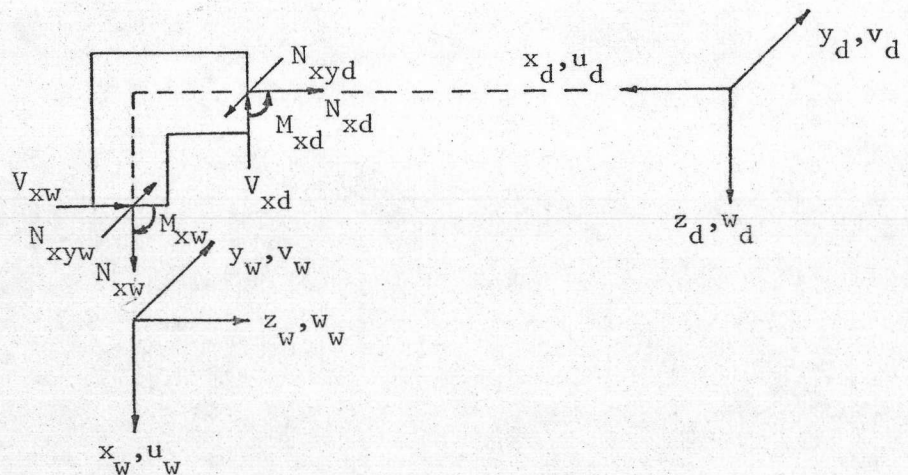
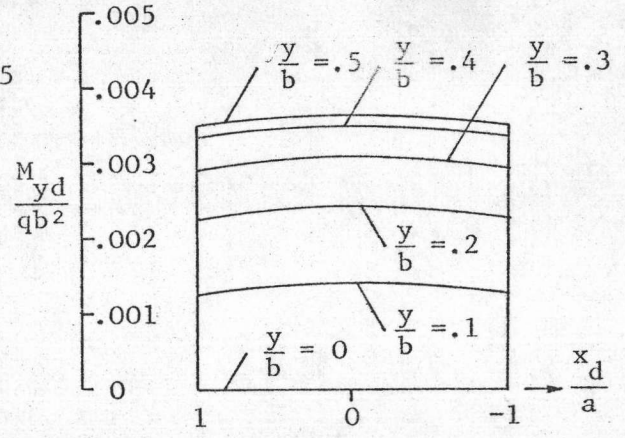
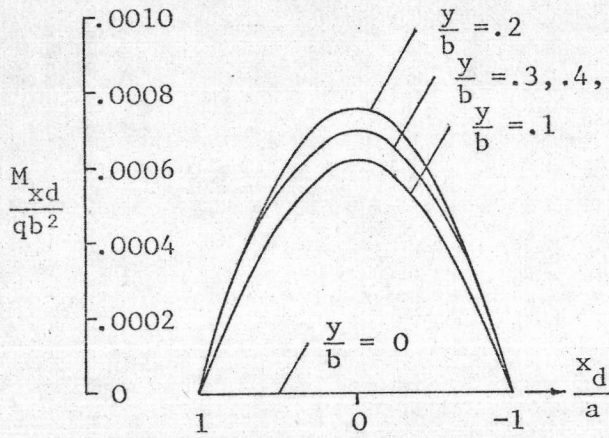
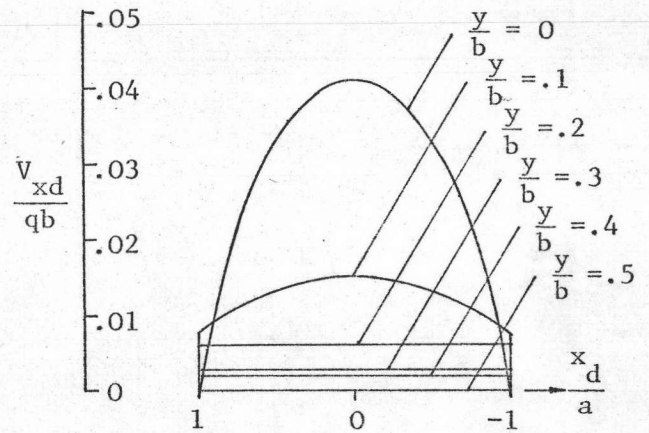
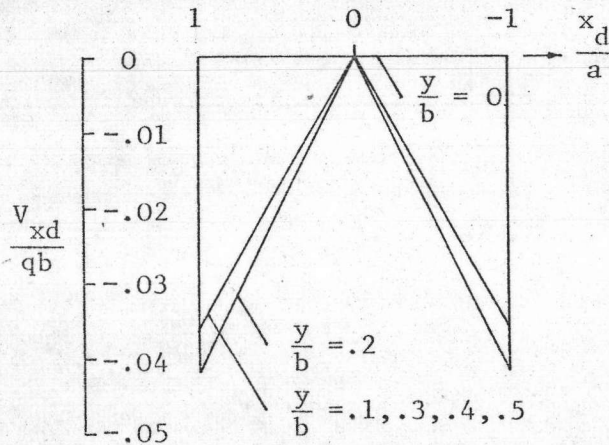


Fig.4 Positive Directions of the Stress Resultants and Displacements at the Joint.



a) Transverse Bending Moment, M_{xd} .

b) Longitudinal Bending Moment, M_{yd} .

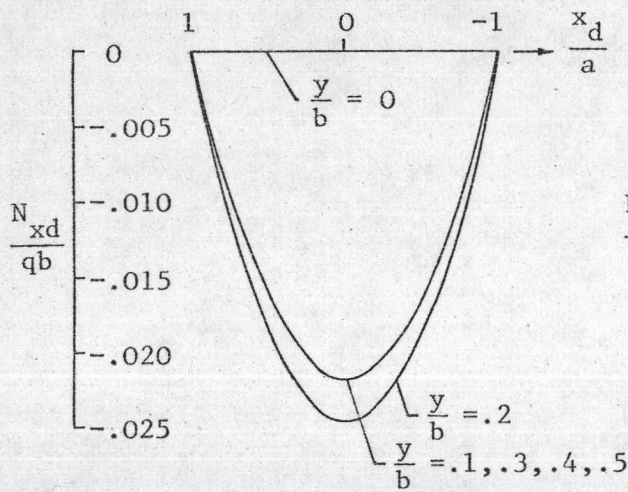


c) Transverse Shearing Force, V_{xd} .

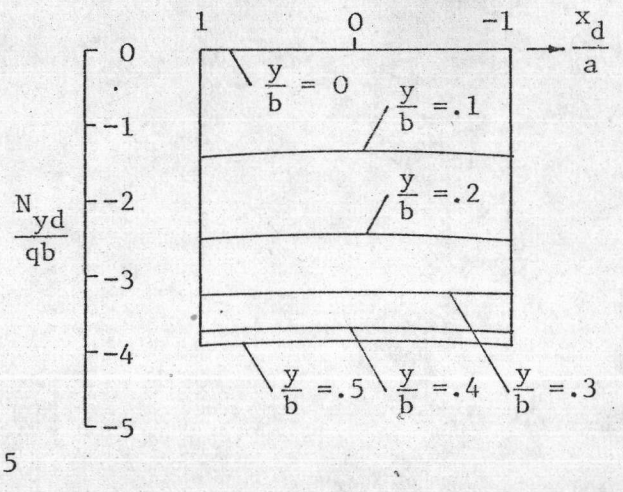
d) Longitudinal Shearing Force, V_{yd} .

Fig.5 Stress Resultants and Displacements: $2a = 30$ cm.,

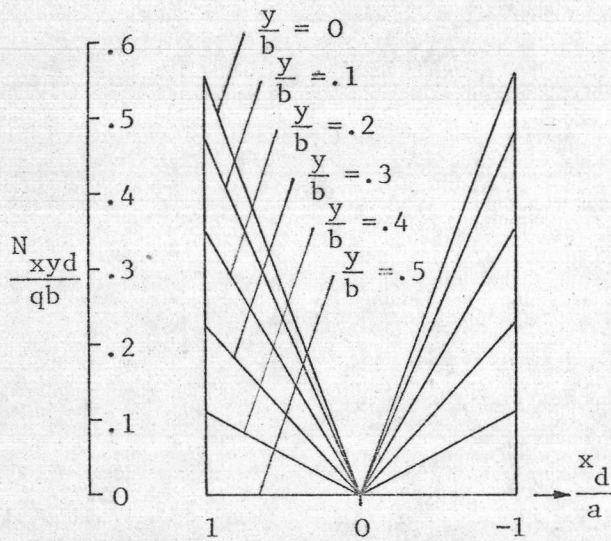
$2c = 15$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.



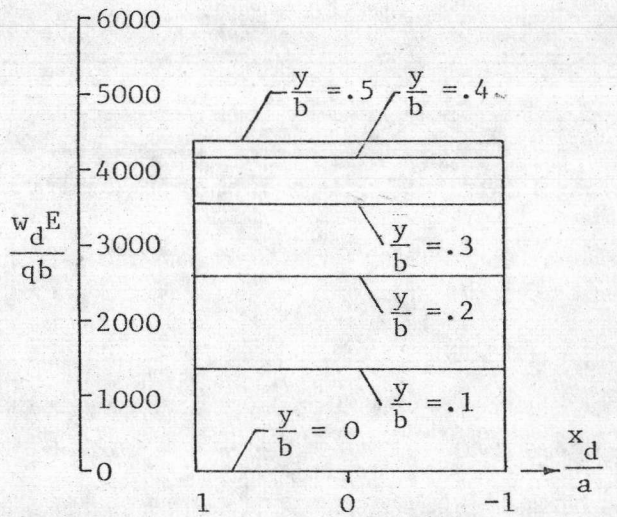
e) Transverse Normal Force, N_{xd} .



f) Longitudinal Normal Force, N_{yd} .



g) Membrane Shearing Force, N_{xyd} .

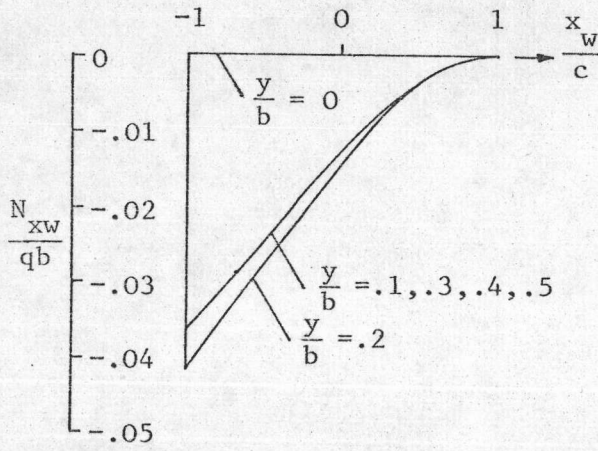


h) Normal Displacement Component, w_d .

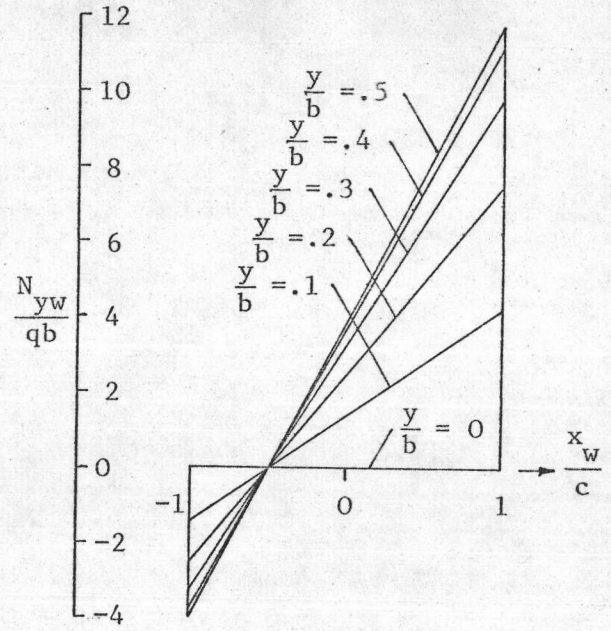
Fig.5 Stress Resultants and Displacements: $2a = 30$ cm.,

$2c = 15$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

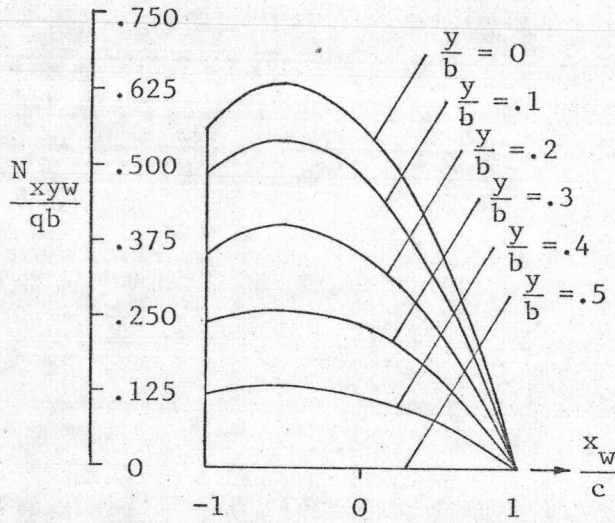
(Continued)



i) Transverse Normal Force, N_{xw} .



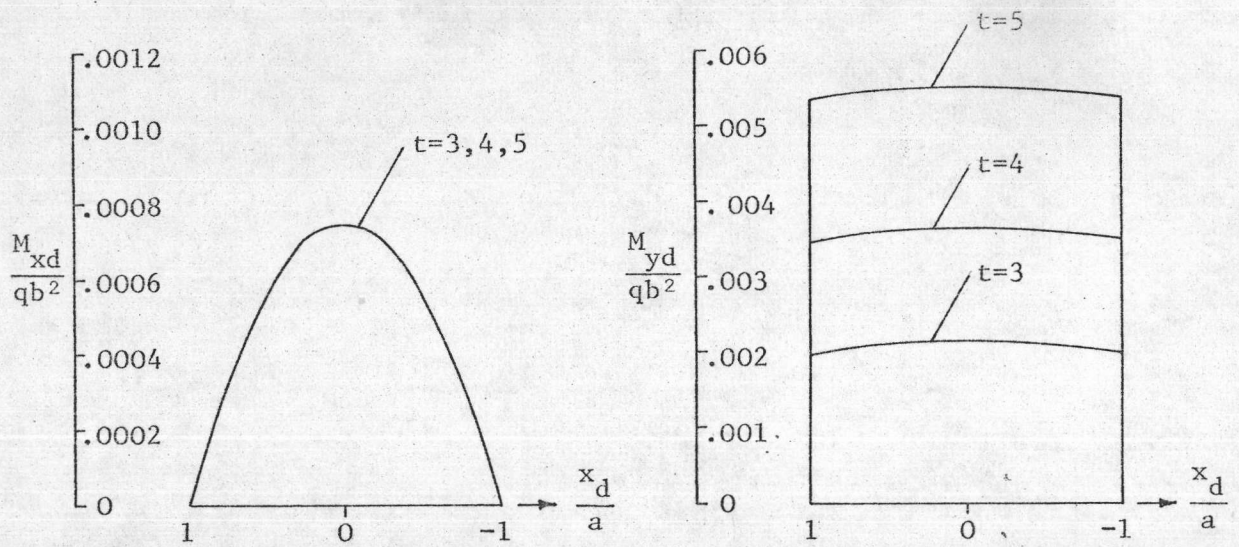
j) Longitudinal Normal Force, N_{yw} .



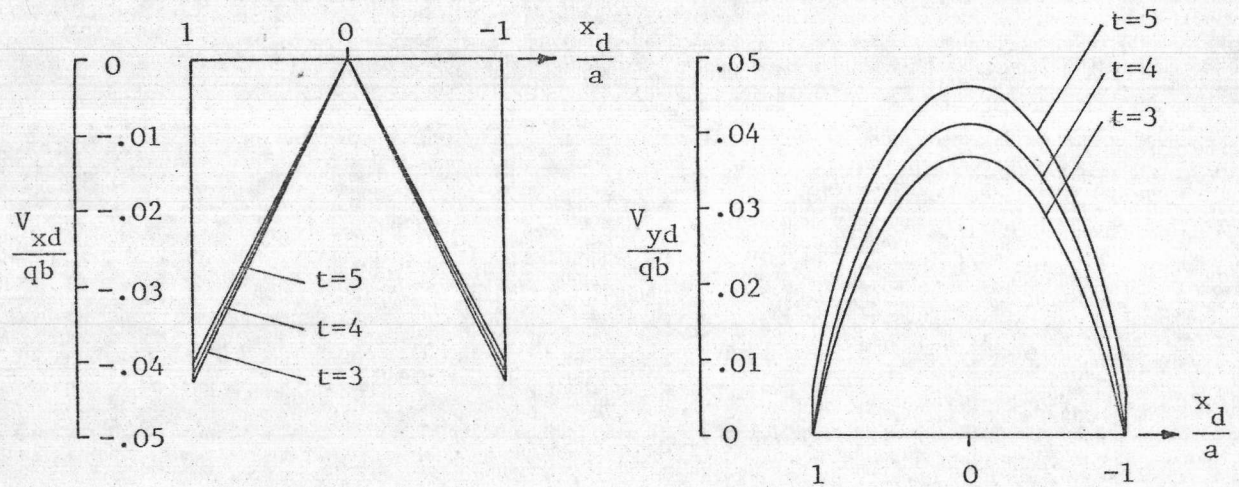
k) Membrane Shearing Force, N_{xyw} .

Fig.5 Stress Resultants and Displacements: $2a = 30$ cm.,
 $2c = 15$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

(Continued)

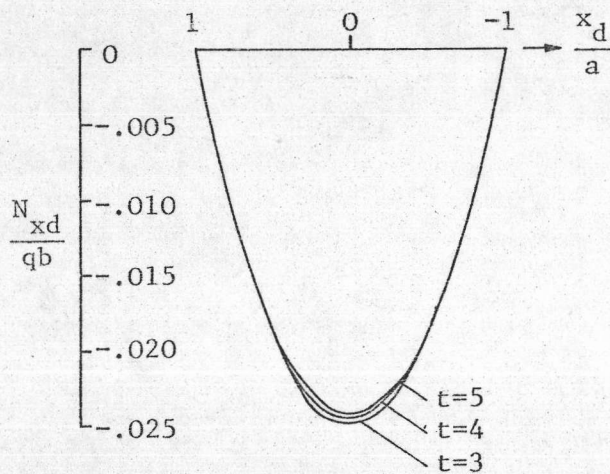


a) Transverse Bending Moment, M_{xd} , at $y/b = 0.2$.
 b) Longitudinal Bending Moment, M_{yd} , at $y/b = 0.5$.

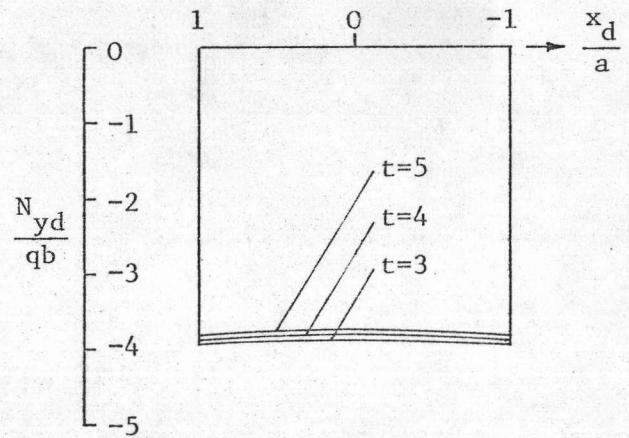


c) Transverse Shearing Force, V_{xd} , at $y/b = 0.2$.
 d) Longitudinal Shearing Force, V_{yd} , at $y/b = 0$.

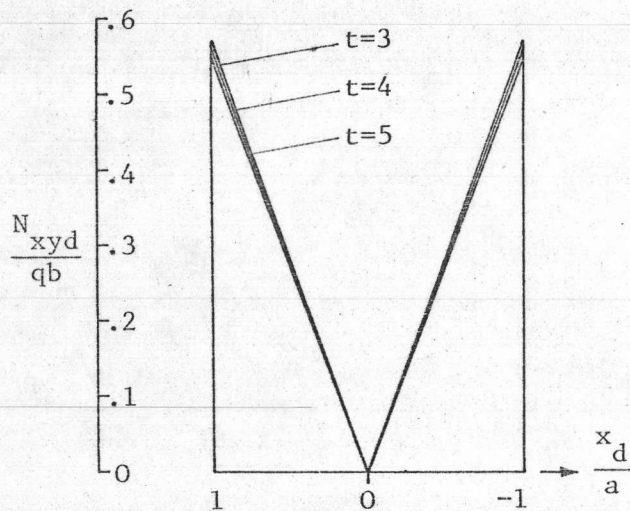
Fig.6 Comparison of Stress Resultants and Displacements Between Various Thickness: $2a = 30$ cm., $2c = 15$ cm., $b = 400$ cm., $t_d = t_w = 3, 4$ and 5 cm.



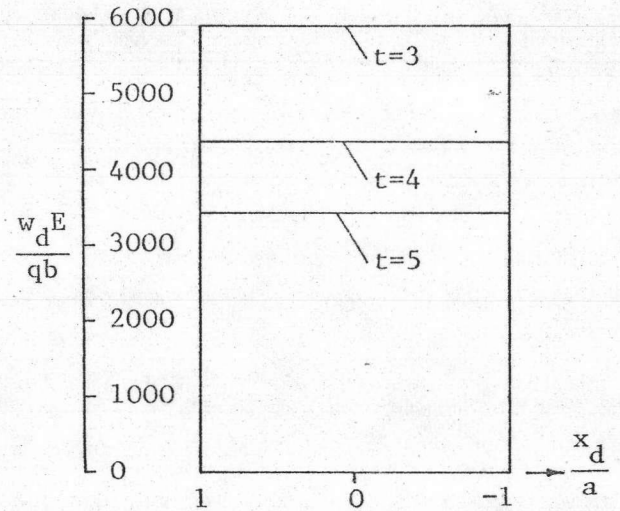
e) Transverse Normal Force, N_{xd} ,
at $y/b = 0.2$.



f) Longitudinal Normal Force, N_{yd} ,
at $y/b = 0.5$.



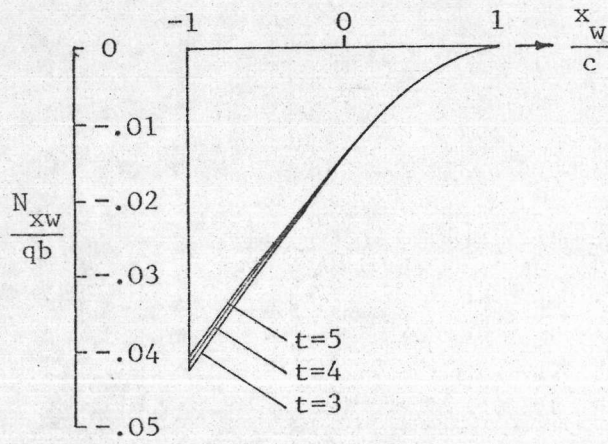
g) Membrane Shearing Force, N_{xyd} ,
at $y/b = 0$.



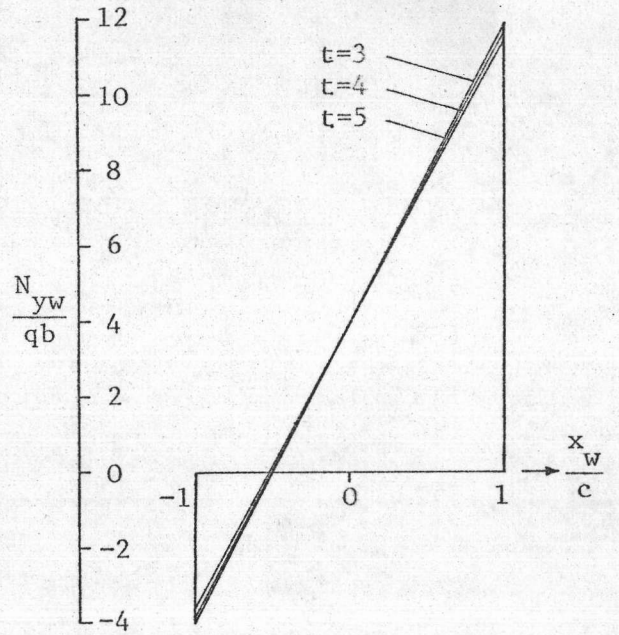
h) Normal Displacements Component, w_d ,
at $y/b = 0.5$.

Fig.6 Comparison of Stress Resultants and Displacements Between
Various Thickness: $2a = 30$ cm., $2c = 15$ cm., $b = 400$ cm.,
 $t_d = t_w = 3, 4$ and 5 cm.

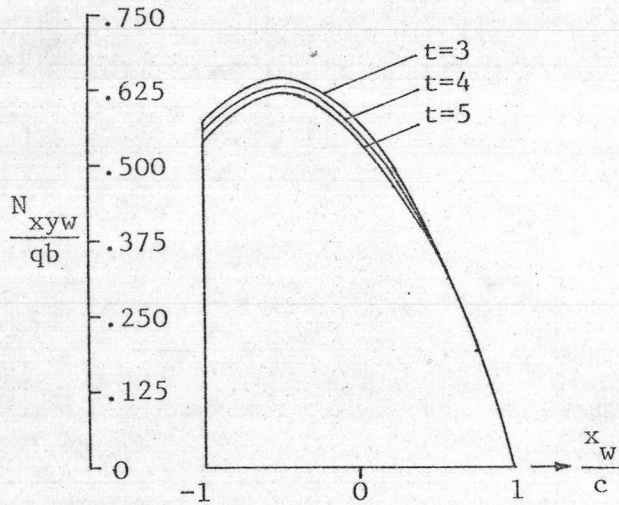
(Continued)



i) Transverse Normal Force, N_{xw} ,
at $y/b = 0.2$.



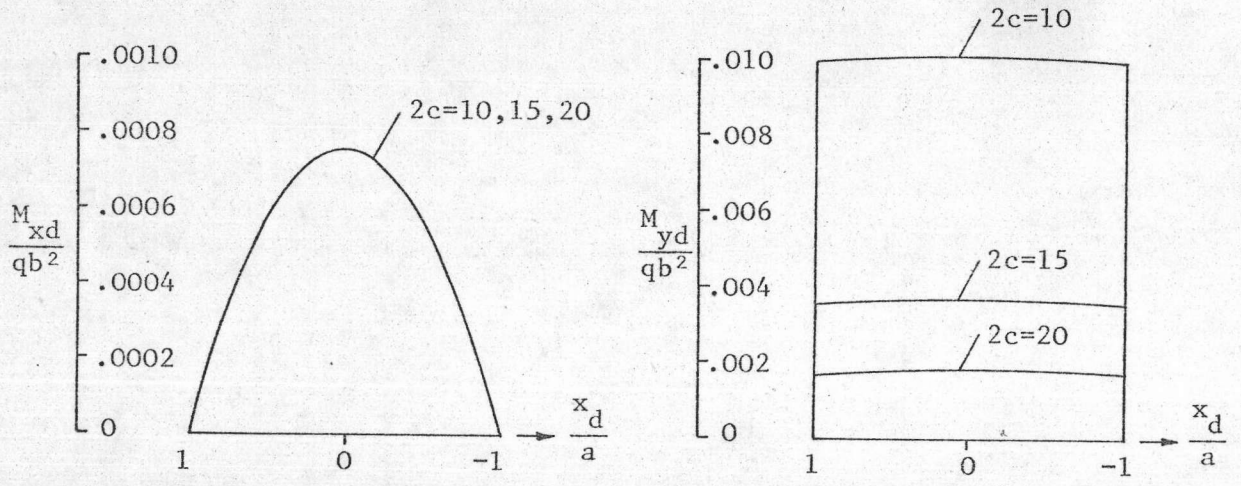
j) Longitudinal Normal Force, N_{yw} ,
at $y/b = 0.5$.



k) Membrane Shearing Force, N_{xyw} ,
at $y/b = 0$.

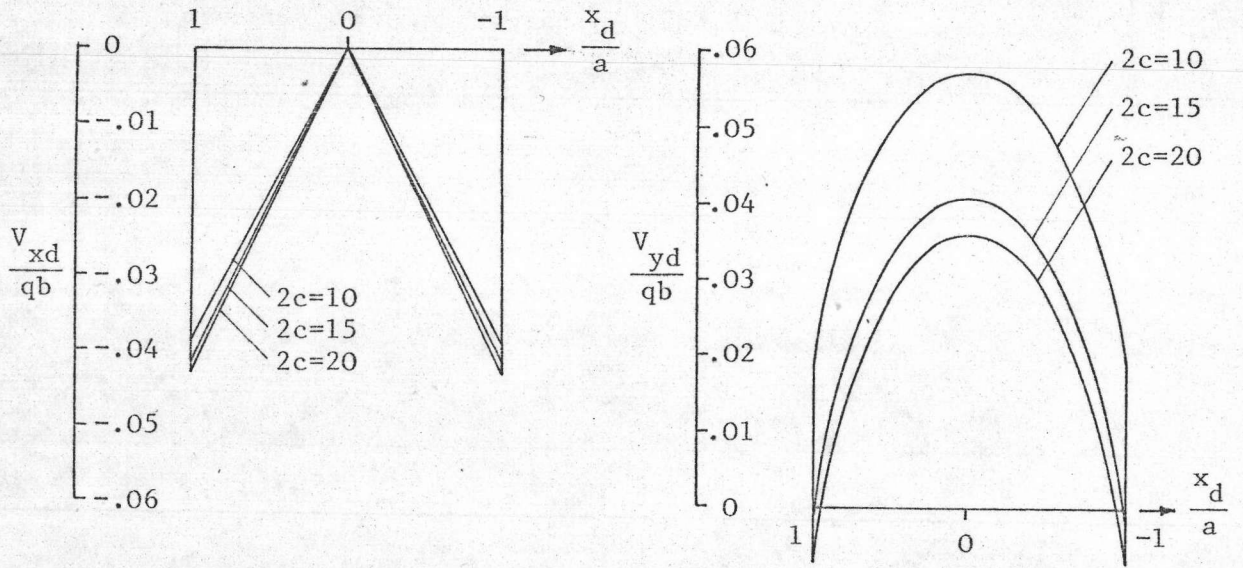
Fig.6 Comparison of Stress Resultants and Displacements Between
Various Thickness: $2a = 30$ cm., $2c = 15$ cm., $b = 400$ cm.,
 $t_d = t_w = 3, 4$ and 5 cm.

(Continued)



a) Transverse Bending Moment, M_{xd} ,
at $y/b = 0.2$.

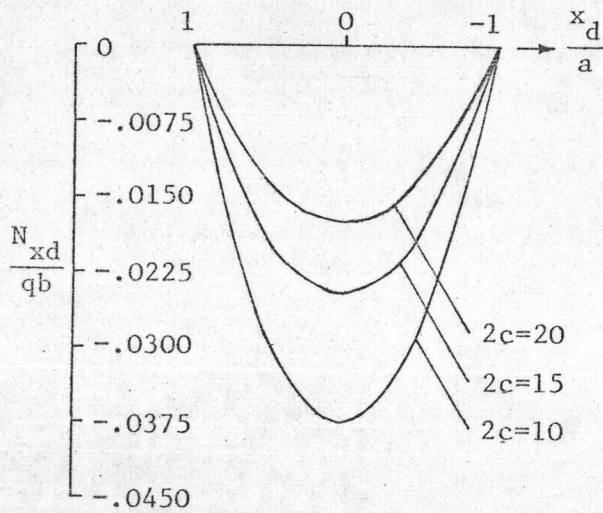
b) Longitudinal Bending Moment, M_{yd} ,
at $y/b = 0.5$.



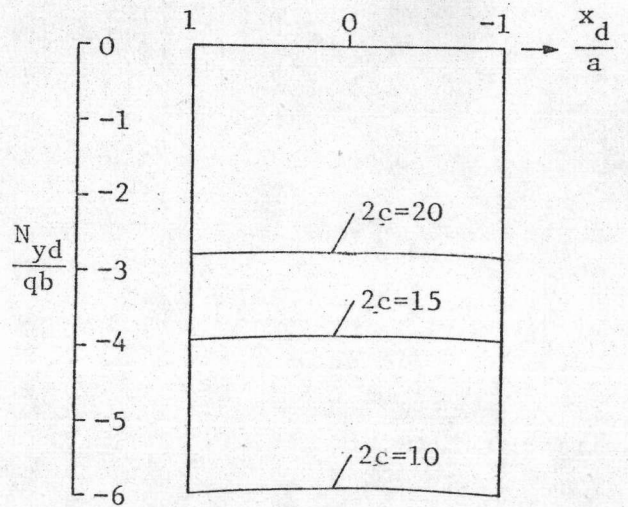
c) Transverse Shearing Force, V_{xd} ,
at $y/b = 0.2$.

d) Longitudinal Shearing Force, V_{yd} ,
at $y/b = 0$.

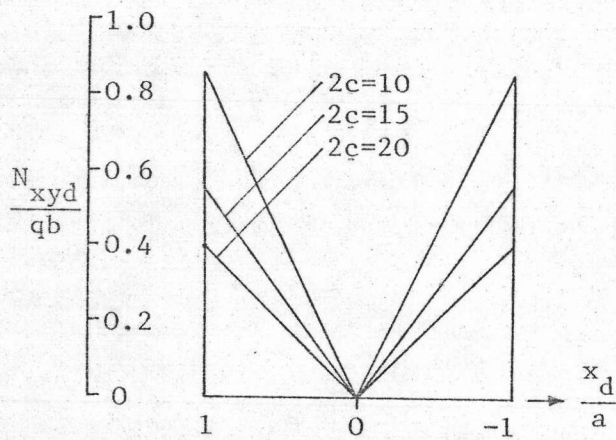
Fig.7 Comparison of Stress Resultants and Displacements Between
Various Depths: $2a = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.,
 $2c = 10, 15$ and 20 cm.



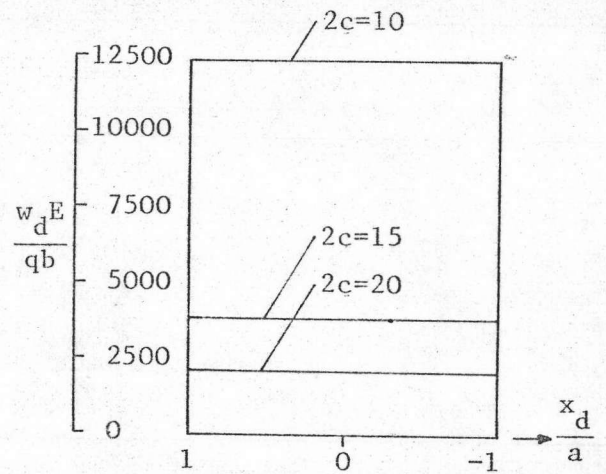
e) Transverse Normal Force, N_{xd} ,
at $y/b = 0.2$.



f) Longitudinal Normal Force, N_{yd} ,
at $y/b = 0.5$.



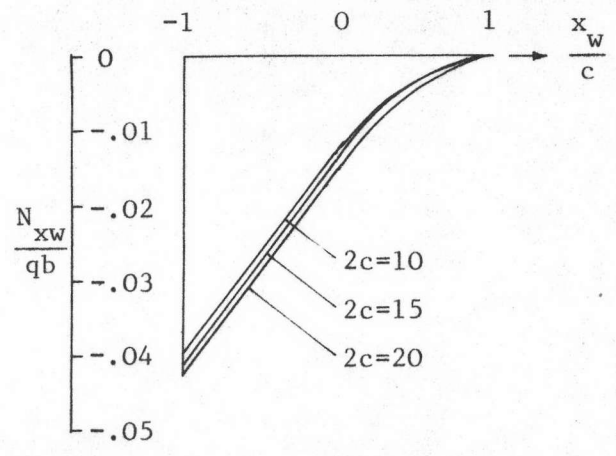
g) Membrane Shearing Force, N_{xyd} ,
at $y/b = 0$.



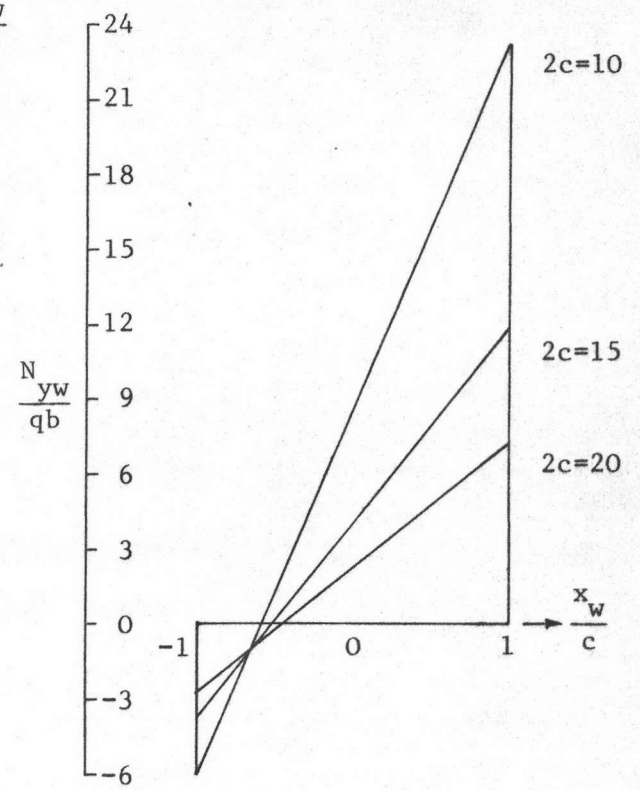
h) Normal Displacement Component, w_d ,
at $y/b = 0.5$.

Fig.7 Comparison of Stress Resultants and Displacements Between
Various Depths: $2a = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.,
 $2c = 10, 15$ and 20 cm.

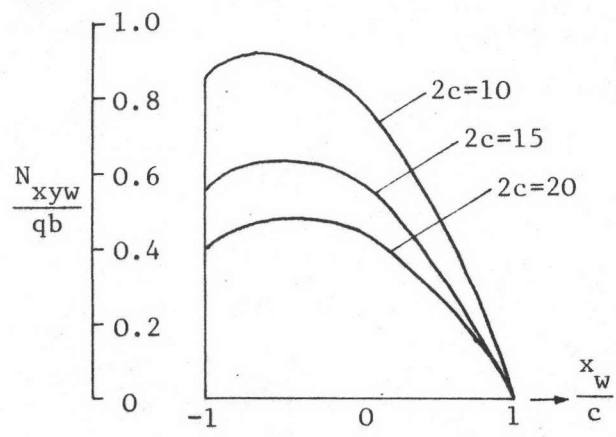
(Continued)



i) Transverse Normal Force, N_{xw} ,
at $y/b = 0.2$.



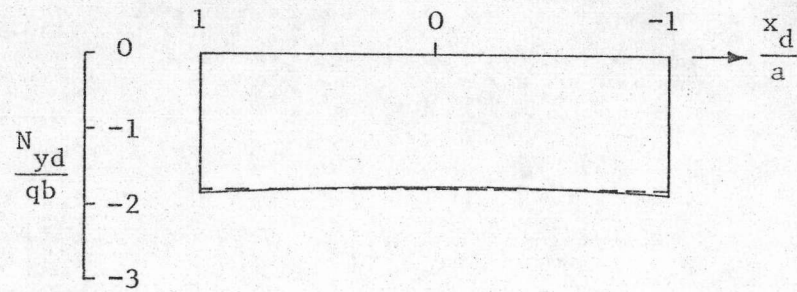
j) Longitudinal Normal Force, N_{yw} ,
at $y/b = 0.5$.



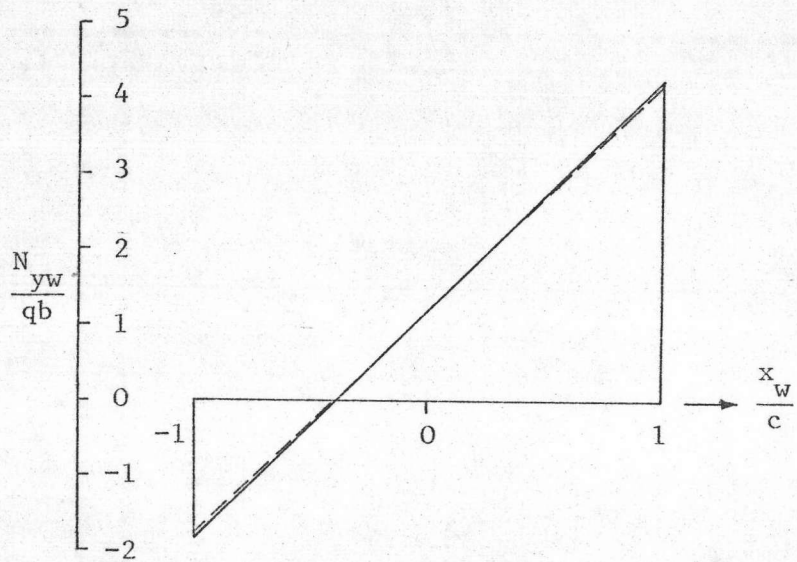
k) Membrane Shearing Force, N_{xyw} ,
at $y/b = 0$.

Fig.7 Comparison of Stress Resultants and Displacements Between
Various Depths: $2a = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.,
 $2c = 10, 15$ and 20 cm.

(Continued)



a) Longitudinal Normal Force, N_{yd} , at $y/b = 0.5$.



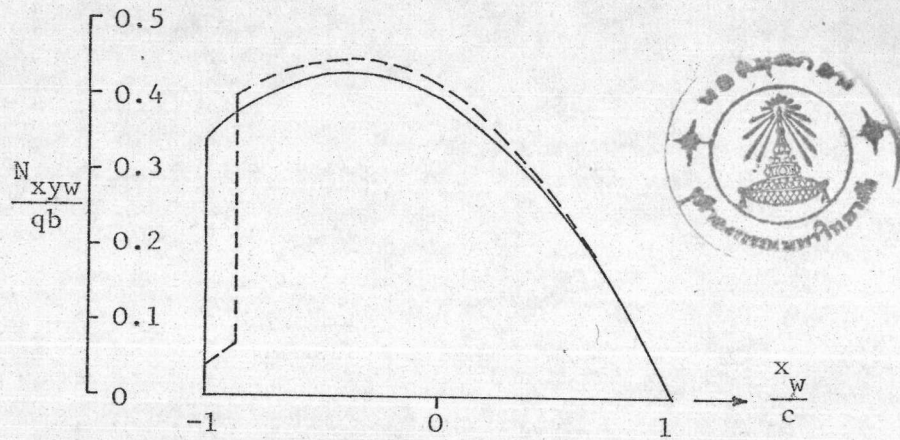
b) Longitudinal Normal Force, N_{yw} , at $y/b = 0.5$.

Fig.8 Comparison of Stress Resultants and Displacements

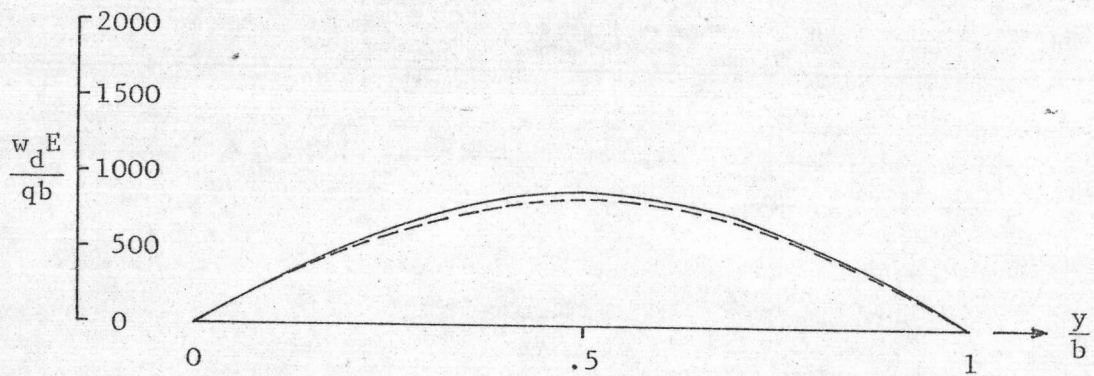
Between the Proposed Method and Simple Bending Theory:

$2a = 40$ cm., $2c = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

————— Proposed Method
 - - - - - Simple Bending Theory



c) Membrane Shearing Force, N_{xyw} , at $y/b = 0$.



d) Normal Displacement Component, w_d , at $x_d = 0$.

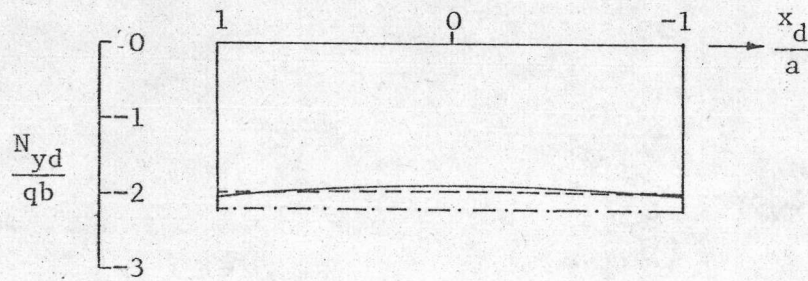
Fig.8 Comparison of Stress Resultants and Displacements

Between the Proposed Method and Simple Bending Theory:

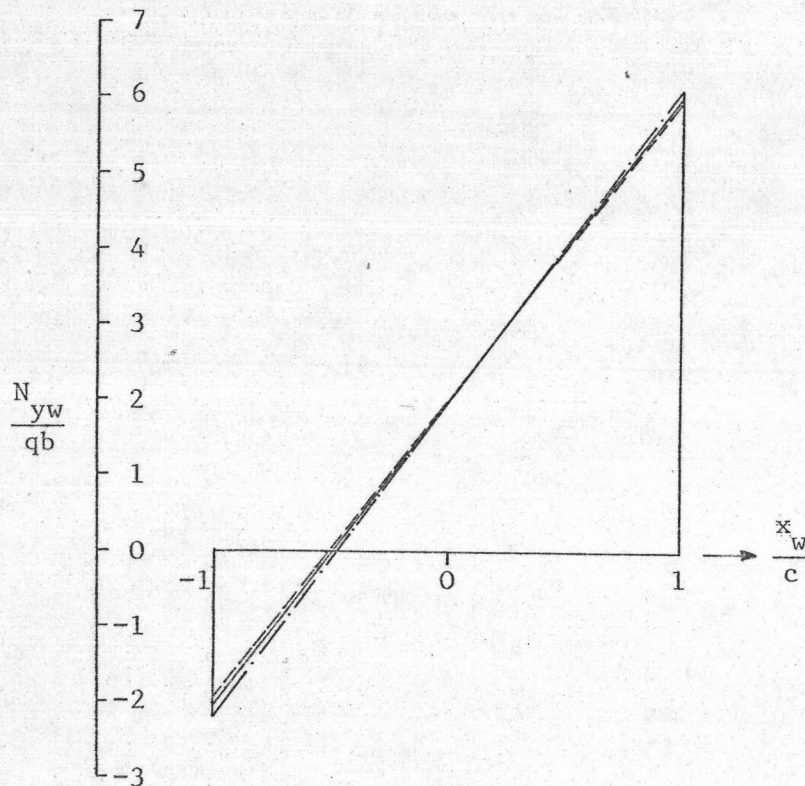
$2a = 40$ cm., $2c = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

————— Proposed Method
 - - - - - Simple Bending Theory

(Continued)



a) Longitudinal Normal Force, N_{yd} , at $y/b = 0.5$.



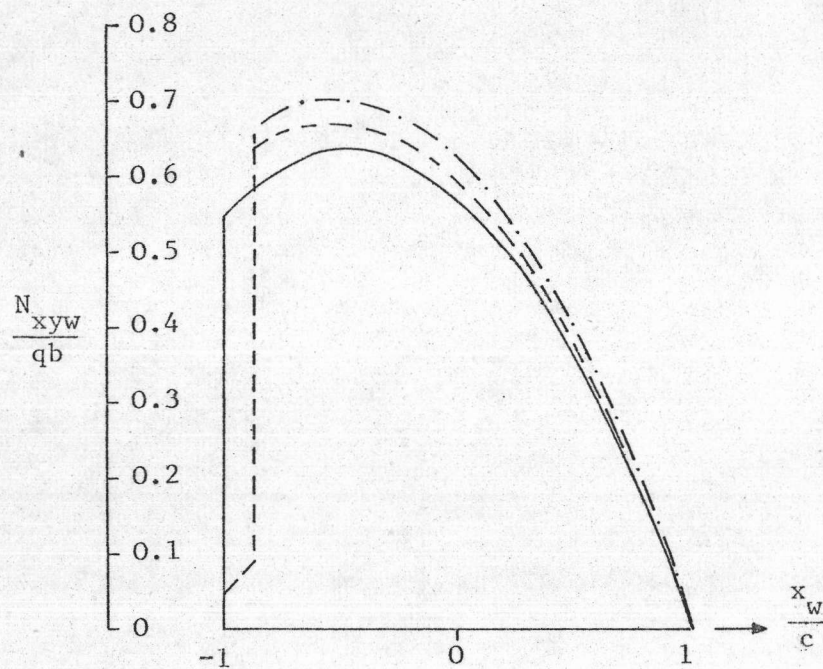
b) Longitudinal Normal Force N_{yw} , at $y/b = 0.5$

Fig.9 Comparison of Stress Resultants and Displacements

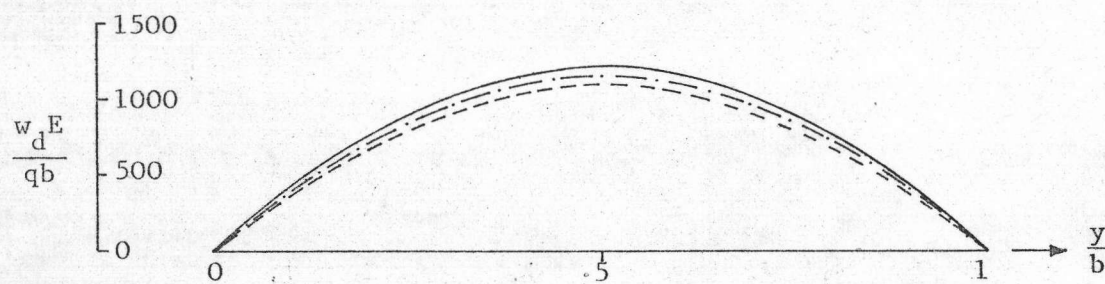
Between the Proposed Method and Simple Bending Theory:

$$2a = 60 \text{ cm.}, 2c = 30 \text{ cm.}, t_d = t_w = 4 \text{ cm.}, b = 400 \text{ cm.}$$

- Proposed Method
- Simple Bending Theory
- .-.-.-.- Simple Bending Theory Using Effective Width Criteria



c) Membrane Shearing Force, N_{xyw} , at $y/b = 0$.



d) Normal Displacement Component, w_d , at $x_d = 0$.

Fig.9 Comparison of Stress Resultants and Displacements

Between the Proposed Method and Simple Bending Theory:

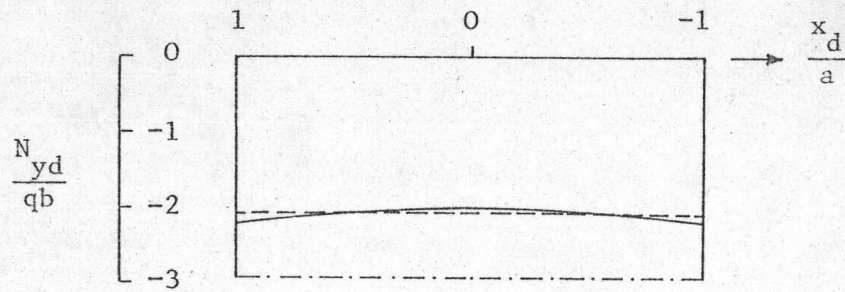
$2a = 60$ cm., $2c = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

————— Proposed Method

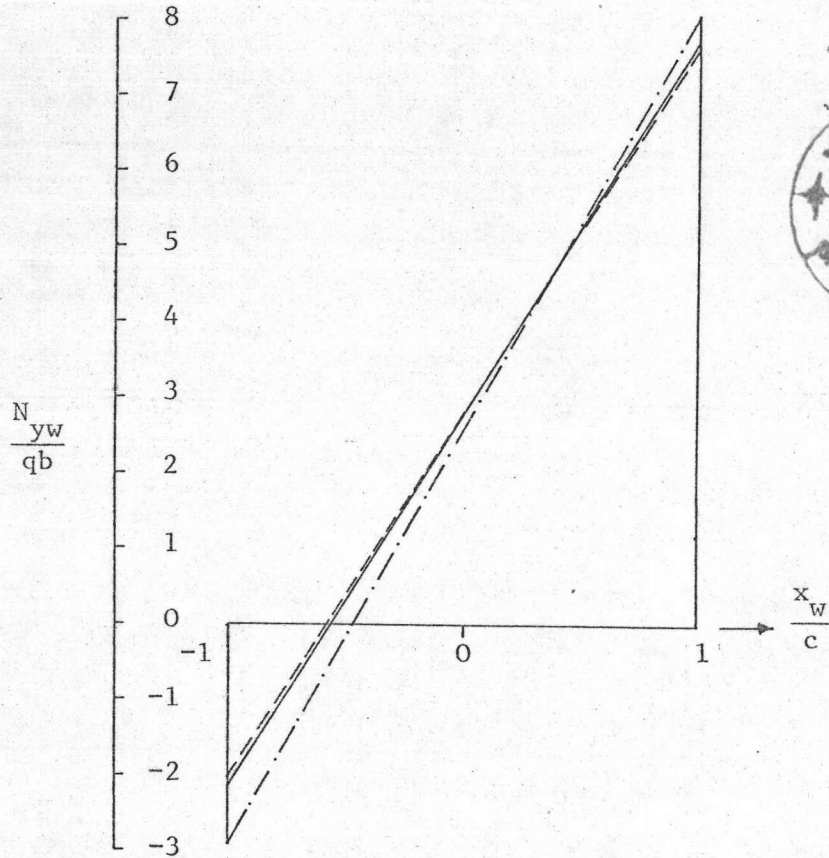
----- Simple Bending Theory

- · - · - · - Simple Bending Theory Using Effective Width Criteria

(Continued)



a) Longitudinal Force, N_{yd} , at $y/b = 0.5$.



b) Longitudinal Force, N_{yw} , at $y/b = 0.5$

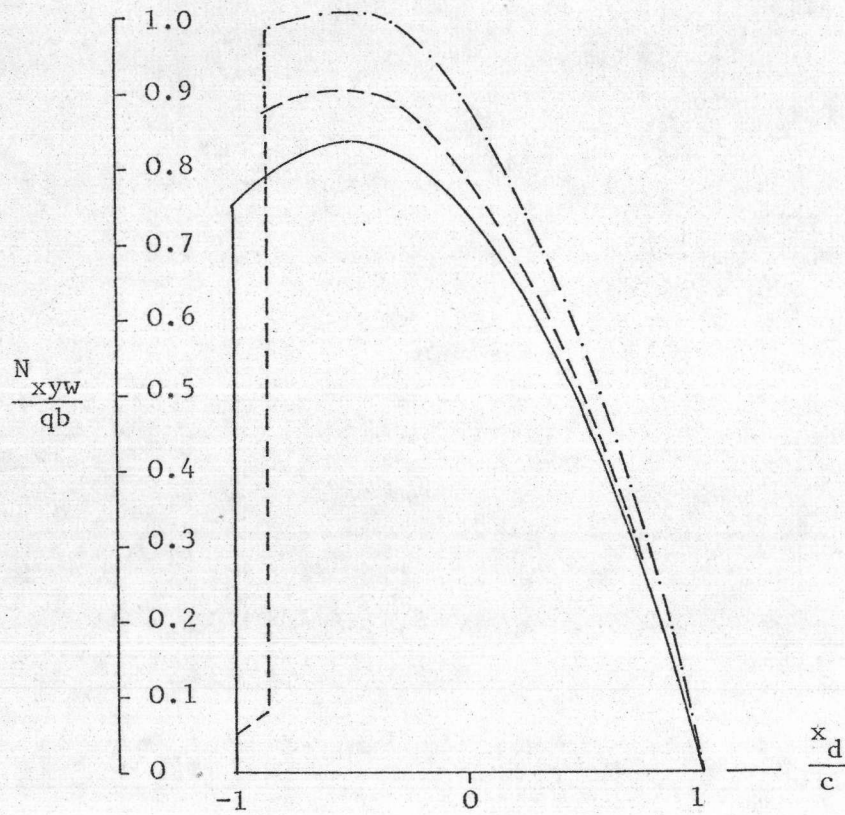


Fig.10 Comparison of Stress Resultants and Displacements

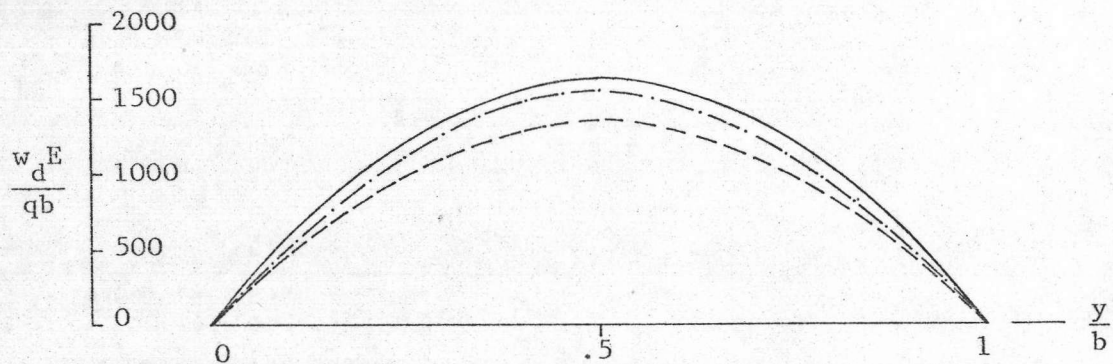
Between the Proposed Method and Simple Bending Theory:

$2a = 80 \text{ cm.}$, $2c = 30 \text{ cm.}$, $t_d = t_w = 4 \text{ cm.}$, $b = 400 \text{ cm.}$

- Proposed Method
- Simple Bending Theory
- · - · - · - Simple Bending Theory Using Effective Width Criteria



c) Membrane Shearing Force, N_{xyw} , at $y/d = 0$.



d) Normal Displacement Component, w_d , at $x_d = 0$.

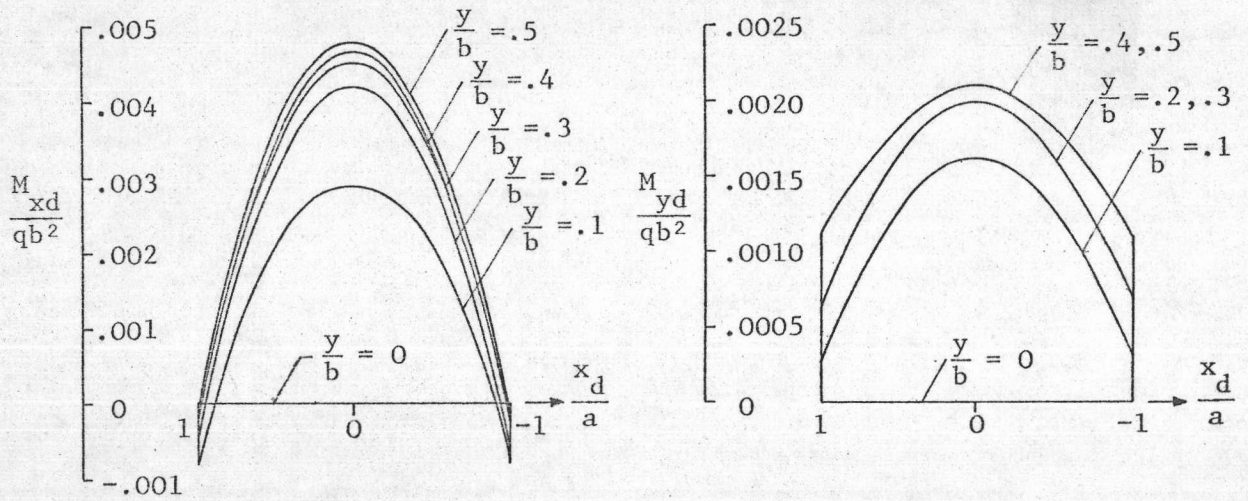
Fig.10 Comparison of Stress Resultant and Displacements

Between the Proposed Method and Simple Bending Theory:

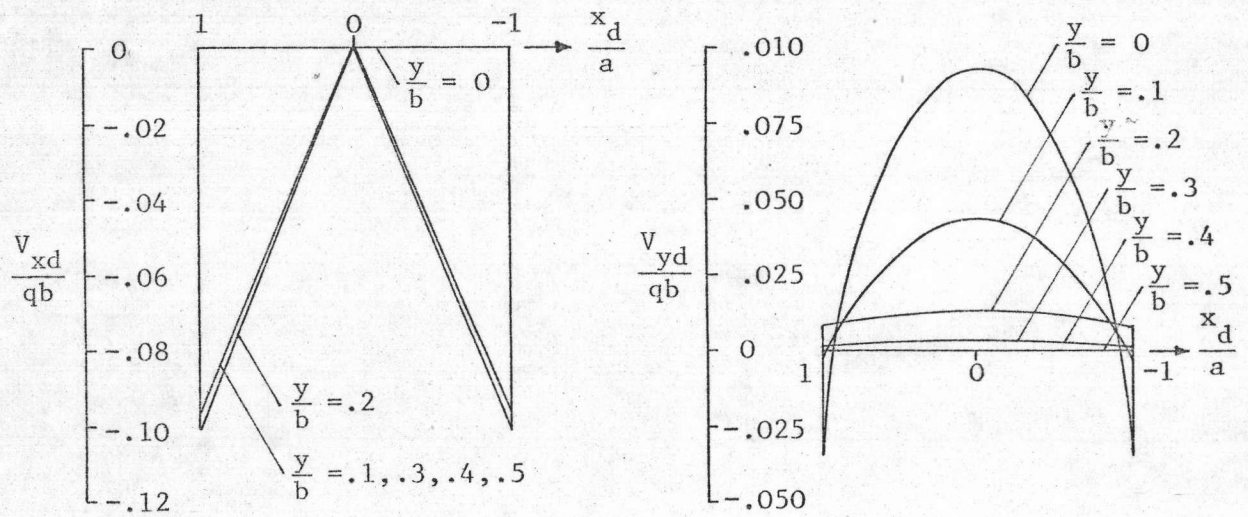
$$2a = 80 \text{ cm.}, 2c = 30 \text{ cm.}, t_d = t_w = 4 \text{ cm.}, b = 400 \text{ cm.}$$

- Proposed Method
- Simple Bending Theory
- · - · - Simple Bending Theory Using Effective Width Criteria

(Continued)



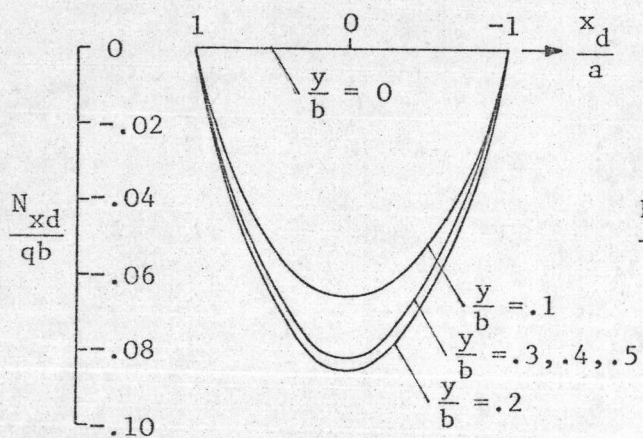
a) Transverse Bending Moment, M_{xd} . b) Longitudinal Bending Moment, M_{yd} .



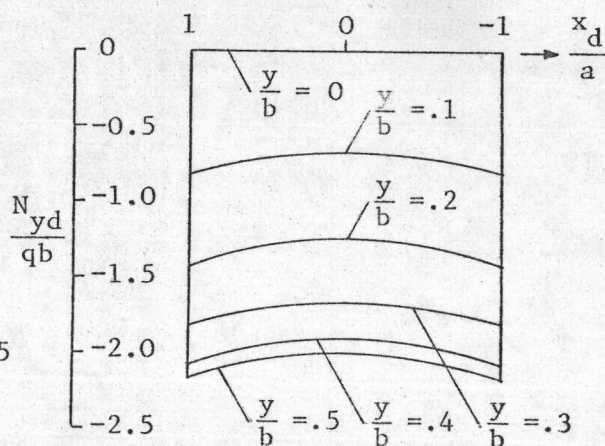
c) Transverse Shearing Force, V_{xd} . d) Longitudinal Shearing Force, V_{yd} .

Fig. 11 Stress Resultants and Displacements: $2a = 80$ cm.,

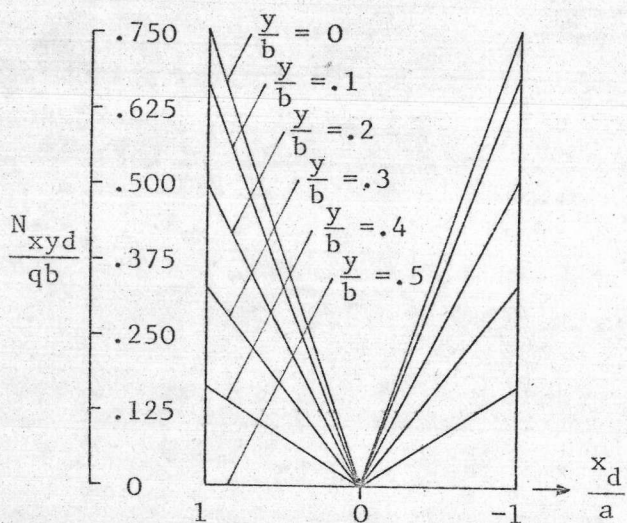
$2c = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.



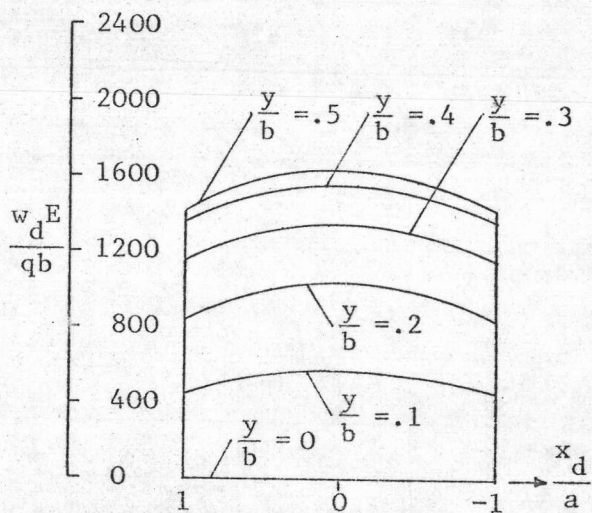
e) Transverse Normal Force, N_{xd} .



f) Longitudinal Normal Force, N_{yd} .



g) Membrane Shearing Force, N_{xyd} .

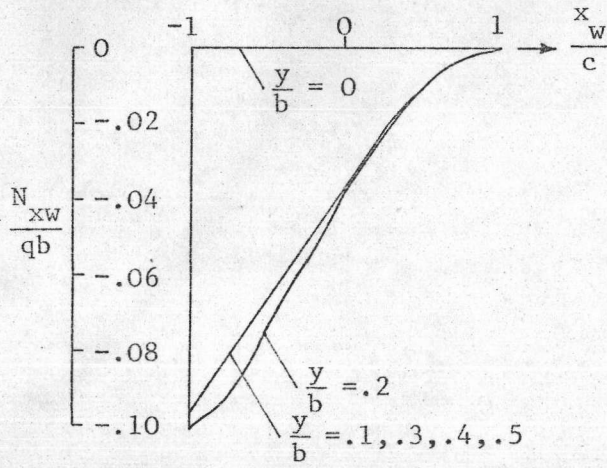
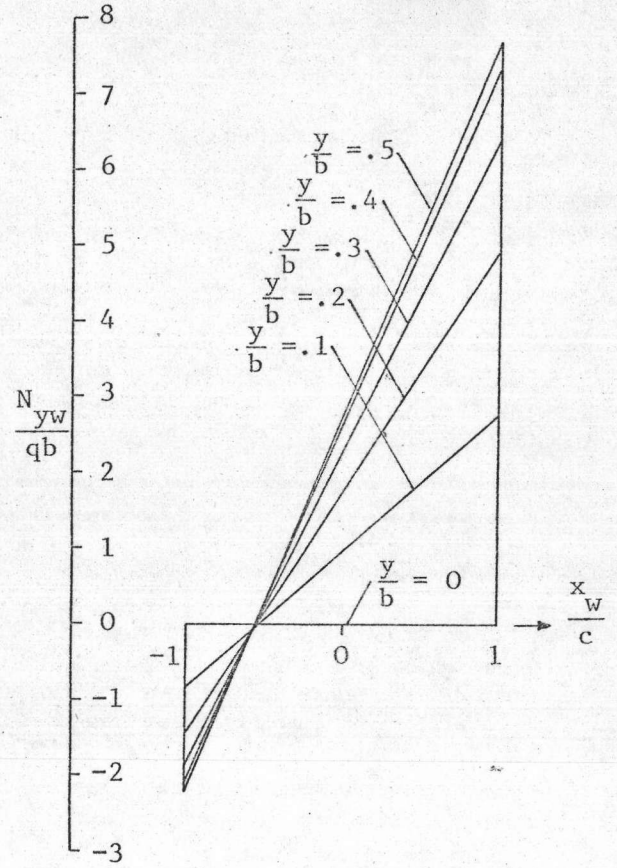
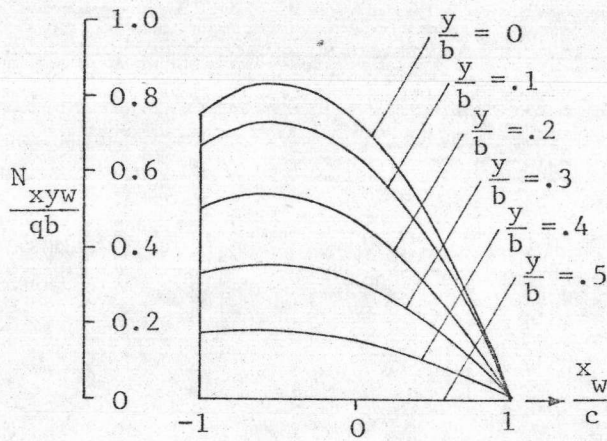


h) Normal Displacements Component, w_d .

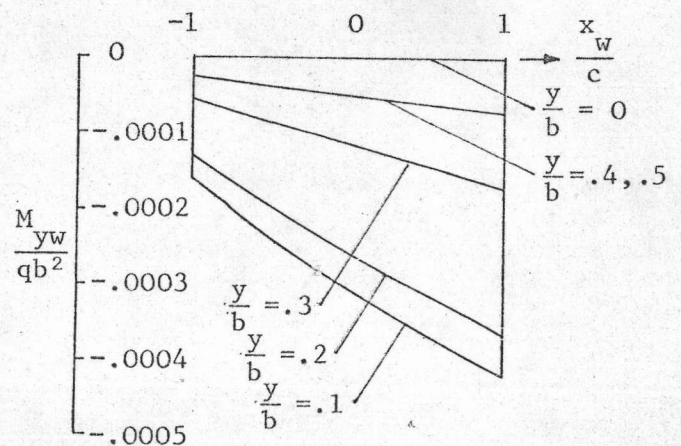
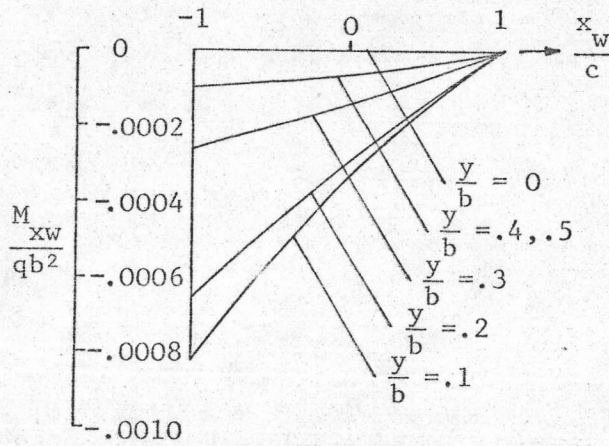
Fig.11 Stress Resultants and Displacements: $2a = 80$ cm.,

$2c = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

(Continued)

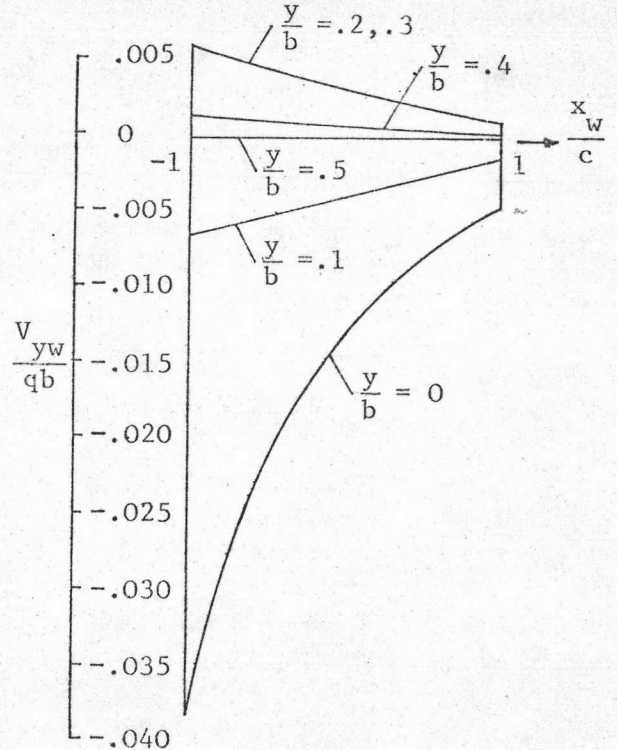
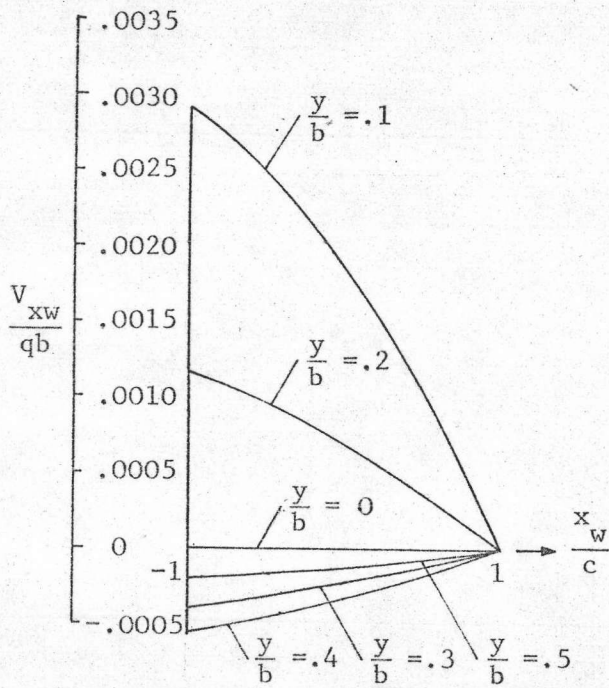
i) Transverse Normal Force, N_{xw} .j) Longitudinal Normal Force, N_{yw} .k) Membrane Shearing Force, N_{xyw} .Fig.11 Stress Resultants and Displacements: $2a = 80$ cm., $2c = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

(Continued)



l) Transverse Bending Moment, M_{xw} .

m) Longitudinal Bending Moment, M_{yw} .



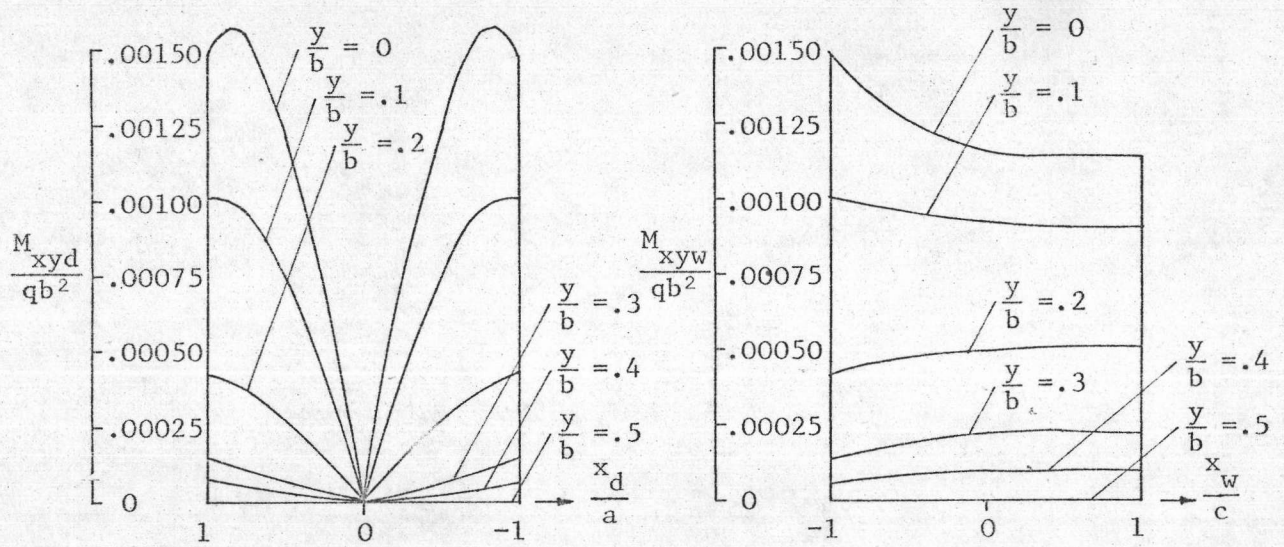
n) Transverse Shearing Force, V_{xw} .

o) Longitudinal Shearing Force, V_{yw} .

Fig.11 Stress Resultants and Displacements: $2a = 80$ cm.,

$2c = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

(Continued)



p) Torsional Bending Moment, M_{xyd} .

q) Torsional Bending Moment, M_{xyw} .

Fig.11 Stress Resultants and Displacements: $2a = 80$ cm.,

$2c = 30$ cm., $t_d = t_w = 4$ cm., $b = 400$ cm.

(Continued)

APPENDIX

APPENDIX



COMPUTER PROGRAM

Main Program

```

C      INVERTED CHANNEL FLOOR UNIT UNDER UNIFORMLY DISTRIBUTED LOAD
C
C      DIMENSIONLESS PARAMETERS INVOLVED ARE
C      1) POISSON'S RATIO           : NU=ANU
C      2) HALF-WIDTH/SPAN RATIO     : A/B=RAB
C      3) HALF-DEPTH/SPAN RATIO     : C/B=RCB
C      4) DECK THICKNESS/SPAN RATIO : TD/B=RDB
C      5) DECK/WEB THICKNESS RATIO  : TD/TW=RDW
C
C      DETERMINATION OF THE TWEVE CONSTANTS OF INTEGRATION
C
C      REAL MXD,MYD,MXYD,MXW,MYW,MXYW,NXD,NYD,NXYD,NXW,NYW,NXYW
C      DIMENSION C(12,12),D(12),E(144),A1(100),A2(100),A3(100),A4(100),
-      B1(100),B2(100),B3(100),B4(100),B5(100),B6(100),B7(100),
-      B8(100),TU(6,14),TV(6,14),TW(6,14),TMX(6,14),TMY(6,14),
-      TMXY(6,14),TVX(6,14),TVY(6,14),TTWP(6,14),TNX(6,14),
-      TNY(6,14),TNXY(6,14),EU(6,14),EV(6,14),EW(6,14),
-      EMX(6,14),EMY(6,14),EMXY(6,14),EVX(6,14),EVY(6,14),
-      EWP(6,14),ENX(6,14),ENY(6,14),ENXY(6,14),X(14)
C      SINH(X)=(EXP(X)-EXP(-X))/2.
C      COSH(X)=(EXP(X)+EXP(-X))/2.
C      TANH(X)=(EXP(X)-EXP(-X))/(EXP(X)+EXP(-X))
C
C      GIVEN DATA :
C      ANU=0.20
C      SPAN=400.
C      WIDTH=30.
C      DEPTH=15.
C      TDECK= 4.
C      TWEB = 4.
C
C      RAB=WIDTH/SPAN/2.
C      RCB=DEPTH/SPAN/2.
C      RDB=TDECK/SPAN/
C      RDW=TDECK/TWEB
C      OPNU=1.+ANU
C      OMNU=1.-ANU
C      RDB2=RDB**2
C      EWD3=(1./RDW)**3
C      PI=3.141592653
    
```

```

C
C DETERMINATION OF CONSTANTS OF INTEGRATION FOR N=1,3,5,...,199
DO 999 N=1,200,2
AN=N
ANP=AN*PI
ANP5=ANP**5
BA=ANP*RAB
BC=ANP*RCB
TWP=ANP/(12.*OPNU)
TWM=ANP/(12.*OMNU)
TBA=TANH(BA)
TBC=TANH(BC)
ATBA=BA*TBA
CTBC=BC*TBC
C INITIALIZATION
DO 115 I=1,12
DO 115 J=1,12
115 C(I,J)=0.
DO 222 K=1,12
222 D(K)=0.
C NON-ZERO COEFFICIENTS : C
C(1,1)=OMNU*TBC
C(1,2)=OMNU*BC+2.*TBC
C(1,3)=OMNU
C(1,4)=OMNU*CTBC+2.*TBC
C(2,1)=OMNU
C(2,2)=OMNU*CTBC-OPNU
C(2,3)=C(1,1)
C(2,4)=OMNU*BC-OPNU*TBC
C(3,1)=-OMNU*ANP*RWD3
C(3,2)=-ANP*RWD3*(OMNU*CTBC-OPNU)
C(3,3)=-C(3,1)*TBC
C(3,4)=C(2,4)*ANP*RWD3
C(3,7)=1.
C(3,8)=ATBA
C(4,1)=TBC
C(4,2)=BC
C(4,3)=-1.
C(4,4)=-CTBC
C(4,7)=TWM*RDB2*TBA
C(4,8)=(TWM*BA-TWP*TBA)*RDB2
C(5,1)=C(1,1)*RWD3
C(5,2)=C(1,2)*RWD3
C(5,3)=-OMNU*RWD3
C(5,4)=-C(1,4)*RWD3
C(5,5)=OMNU
C(5,6)=OMNU*ATBA+2.
C(6,1)=-1.
C(6,2)=-CTBC-1.
C(6,3)=TBC
C(6,4)=BC+TBC

```



```

C(6,5)=TBA
C(6,6)=BA+TBA
C(7,7)=TBA
C(7,8)=C(6,6)
C(7,9)=-1.
C(7,10)=C(6,2)
C(7,11)=TBC
C(7,12)=C(6,4)
C(8,7)=OPNU
C(8,8)=OPNU*ATBA+2.
C(8,9)=OPNU*RDW*TBC
C(8,10)=RDW*(OPNU*BC+2.*TBC)
C(8,11)=-OPNU*RDW
C(8,12)=-RDW*(OPNU*CTBC+2.)
C(9,5)=OMNU*ANP*TBA
C(9,6)=ANP*(OMNU*BA-OPNU*TBA)
C(9,9)=-TBC
C(9,10)=-BC
C(9,11)=1.
C(9,12)=CTBC
C(10,5)=1.
C(10,6)=ATBA
C(10,9)=TWM*RDW*RDB2
C(10,10)=RDW*RDB2*(TWM*CTBC-TWP)
C(10,11)=-TWM*RDW*RDB2*TBC
C(10,12)=-RDW*RDB2*(TWM*BC-TWP*TBC)
C(11,9)=TBC
C(11,10)=BC
C(11,11)=1.
C(11,12)=CTBC
C(12,9)=1.
C(12,10)=-C(6,2)
C(12,11)=TBC
C(12,12)=BC+TBC
C
NON-ZERO COEFFICIENTS : D
D(5)=4.*ANU/ANP5
D(10)=-4./ANP5
C
REARRANGE COEFFICIENTS COLUMNWISE
K=1
DO 333 J=1,12
DO 333 I=1,12
E(K)=C(I,J)
K=K+1
333
CONTINUE
C
SOLVE SIMULTANEOUS EQUATIONS
MTX=12
CALL SIMQ(E,D,MTX)
M=(N+1)/2
C
CONSTANTS OF INTEGRATION OBTAINED ARE
B1(M)=D(1)
B2(M)=D(2)

```

```

B3(M)=D(3)
B4(M)=D(4)
A1(M)=D(5)
A2(M)=D(6)
A3(M)=D(7)
A4(M)=D(8)
B5(M)=D(9)
B6(M)=D(10)
B7(M)=D(11)
B8(M)=D(12)
999 CONTINUE
C
C DETERMINATION OF DISPLACEMENTS AND STRESS RESULTANTS
C
RDB3=RDB**3
RWB=RDB/RDW
RBW=1./RWB
RBD=1./RDB
WWMU=12.*(1.-ANU**2)/RDB3
C SET INTERVAL OF POINTS TO BE CONSIDERED
YI=1./10.
XDI=1./4.
XWI=1./4.
C FIRST POINTS
PY=0.
JY=1
6 PXD=0.
JX=1
PXW=-1.
C
C DECK PLATE
C SET INITIAL VALUES
10 TUD=0.
TVD=0.
TWD=0.
TMXD=0.
TMYD=0.
TMXYD=0.
TVXD=0.
TVYD=0.
TWDP=0.
TNXD=0.
TNYD=0.
TNXYD=0.
C SET INDEX VALUES
KUD=1
KVD=1
KWD=1
KMXD=1
KMYD=1
KMXYD=1

```



```

KVXD=1
KVYD=1
KWDP=1
KNXD=1
KNYD=1
KNXYD=1
C   SET SUMMATION INDEX
    N=1
15  M=(N+1)/2
    AN=N
    ANP=AN*PI
    ANP2=ANP**2
    ANP3=ANP**3
    ANP5=ANP**5
    BA=ANP*RAB
    BY=ANP*PY
    BXD=PX*BA
    SBY=SIN(BY)
    CBY=COS(BY)
    CBA=COSH(BA)
    SBXD=SINH(BXD)
    CBXD=COSH(BXD)
    SXD=SBXD/CBA
    CXD=CBXD/CBA
    BXSXD=BXD*SXD
    BXCXD=BXD*CXD
C   CHECK INDEX VALUE INDICATING WHETHER TO SKIP THIS PART OR NOT
    IF(KUD.EQ.2) GO TO 101
    UD=-RBD*ANP*(A3(M)*OPNU*SXD+A4(M)*(OPNU*BXCXD-OMNU*SXD))*SBY
C   SUMMATION
    TUD=TUD+UD
C   CHECK THAT THE PARTIAL SUM IS NOT ZERO TO AVOID OVERFLOW
    IF(TUD.NE.0.) GO TO 61
    EUD=0.
    GO TO 62
C   THE PERCENTAGE OF THE LAST TERM TO THE PARTIAL SUM
61  EUD=ABS(UD/TUD)*100.
C   CHECK WHETHER THE LAST TERM IS LESS THAN 0.25 PERCENT OF THE
C   PARTIAL SUM AND RESET THE INDEX VALUE
62  IF(EUD.LE.0.25) KUD=2
C   REGISTER THE RESULT AND ERROR
    TU(JY,JX)=TUD
    EU(JY,JX)=EUD
C   REPEAT THE ABOVE PROCEDURE TO OBTAIN OTHER RESULTS
101 IF(KVD.EQ.2) GO TO 102
    VD=-RBD*ANP*(A3(M)*OPNU*CXD+A4(M)*(OPNU*BXSXD+2.*CXD))*CBY
    TVD=TVD+VD
    IF(TVD.NE.0.) GO TO 63
    EVD=0.
    GO TO 64
63  EVD=ABS(VD/TVD)*100.

```

```

64   IF(EVD.LE.0.25) KVD=2
      TV(JY,JX)=TVD
      EV(JY,JX)=EVD
102  IF(KWD.EQ.2) GO TO 103
      WD=WWMU*(4./ANP5+A1(M)*CXD+A2(M)*BXSXD)*SBY
      TWD=TWD+WD
      IF(TWD.NE.0.) GO TO 65
      EWD=0.
      GO TO 66
65   EWD=ABS(WD/TWD)*100.
66   IF(EWD.LE.0.25) KWD=2
      TW(JY,JX)=TWD
      EW(JY,JX)=EWD
103  IF(KMXD.EQ.2) GO TO 104
      MXD=(4.*ANU/ANP3-ANP2*A1(M)*OMNU*CXD-ANP2*A2(M)*(OMNU*BXSXD
-      +2.*CXD))*SBY
      TMXD=TMXD+MXD
      IF(TMXD.NE.0.) GO TO 67
      EMXD=0.
      GO TO 68
67   EMXD=ABS(MXD/TMXD)*100.
68   IF(EMXD.LE.0.25) KMXD=2
      TMX(JY,JX)=TMXD
      EMX(JY,JX)=EMXD
104  IF(KMYD.EQ.2) GO TO 105
      MYD=(4./ANP3+ANP2*A1(M)*OMNU*CXD+ANP2*A2(M)*(OMNU*BXSXD
-      -2.*ANU*CXD))*SBY
      TMYD=TMYD+MYD
      IF(TMYD.NE.0.) GO TO 69
      EMYD=0.
      GO TO 70
69   EMYD=ABS(MYD/TMYD)*100.
70   IF(EMYD.LE.0.25) KMYD=2
      TMY(JY,JX)=TMYD
      EMY(JY,JX)=EMYD
105  IF(KMXYD.EQ.2) GO TO 106
      MXYD=-OMNU*ANP2*(A1(M)*SXD+A2(M)*(BXCXD+SXD))*CBY
      TMXYD=TMXYD+MXYD
      IF(TMXYD.NE.0.) GO TO 71
      EMXYD=0.
      GO TO 72
71   EMXYD=ABS(MXYD/TMXYD)*100.
72   IF(EMXYD.LE.0.25) KMXYD=2
      TMXY(JY,JX)=TMXYD
      EMXY(JY,JX)=EMXYD
106  IF(KVXD.EQ.2) GO TO 107
      VXD=ANP3*(A1(M)*OMNU*SXD+A2(M)*(OMNU*BXCXD-OPNU*SXD))*SBY
      TVXD=TVXD+VXD
      IF(TVXD.NE.0.) GO TO 73
      EVXD=0.
      GO TO 74
73   EVXD=ABS(VXD/TVXD)*100.

```

```

74   IF(EVXD.LE.0.25) KVXD=2
      TVX(JY,JX)=TVXD
      EVX(JY,JX)=EVXD
107  IF(KVYD.EQ.2) GO TO 108
      VYD=(4./ANP2-ANP3*A1(M)*OMNU*CXD-ANP3*A2(M)*(OMNU*BXSXD
-     +2.*(2.-ANU)*CXD))*CBY
      TVYD=TVYD+VYD
      IF(TVYD.NE.0.) GO TO 75
      EVYD=0.
      GO TO 76
75   EVYD=ABS(VYD/TVYD)*100.
76   IF(EVYD.LE.0.25) KVYD=2
      TVY(JY,JX)=TVYD
      EVY(JY,JX)=EVYD
108  IF(KNXD.EQ.2) GO TO 109
      NXD=-ANP2*(A3(M)*CXD+A4(M)*BXSXD)*SBY
      TNXD=TNXD+NXD
      IF(TNXD.NE.0.) GO TO 77
      ENXD=0.
      GO TO 78
77   ENXD=ABS(NXD/TNXD)*100.
78   IF(ENXD.LE.0.25) KNXD=2
      TNX(JY,JX)=TNXD
      ENX(JY,JX)=ENXD
109  IF(KNYD.EQ.2) GO TO 110
      NYD=ANP2*(A3(M)*CXD+A4(M)*(BXSXD+2.*CXD))*SBY
      TNYD=TNYD+NYD
      IF(TNYD.NE.0.) GO TO 79
      ENYD=0.
      GO TO 80
79   ENYD=ABS(NYD/TNYD)*100.
80   IF(ENYD.LE.0.25) KNYD=2
      TNY(JY,JX)=TNYD
      ENY(JY,JX)=ENYD
110  IF(KNXYD.EQ.2) GO TO 111
      NXD=-ANP2*(A3(M)*SXD+A4(M)*(BXCXD+SXD))*CBY
      TNXYD=TNXYD+NXD
      IF(TNXYD.NE.0.) GO TO 81
      ENXYD=0.
      GO TO 82
81   ENXYD=ABS(NXSD/TNXYD)*100.
82   IF(ENXYD.LE.0.25) KNXYD=2
      TNXY(JY,JX)=TNXYD
      ENXY(JY,JX)=ENXYD
111  IF(KWDP.EQ.2) GO TO 112
      WDP=WWMU*ANP*A1(M)*SXD+A2(M)*(SXD+BXCXD))*SBY
      TWDP=TWDP+WDP
      IF(TWDP.NE.0.) GO TO 83
      EWDP=0.
      GO TO 84
83   EWDP=ABS(WDP/TWDP)*100.

```




```
84 IF(EWDP.LE.0.25) KWDP=2
TTWP(JY,JX)=TWDP
EWP(JY,JX)=EWDP
C IF THE SUMMATION REACHED 100 TERMS,GO ON TO SOLVE THE NEXT POINT
112 IF(N.EQ.199) GO TO 20
C THE NEXT SUMMATION INDEX
N=N+2
C IF ALL THE LAST TERMS ARE NOT LESS THAN 0.25 PERCENT OF THEIR
C PARTIAL SUMS,GO BACK TO ADD MORE TERMS
KKKD=KUD+KVD+KWD+KMXD+KMYD+KMXD+KMYD+KVXD+KVYD+KNXD+KNYD+KNXYD+KWDP
IF(KKKD.LT.24) GO TO 15
C THE NEXT POINT
20 PXD=PXDXDI
JX=JX+1
C IF ALL REQUIRED POINTS ON DECK PLATE ARE SOLVED,GO ON TO WEB PLATE
IF(PXD.GT.1.0) GO TO 35
GO TO 10
C WEB PLATE
C SET INITIAL VALUES
35 TUW=0.
TVW=0.
TWW=0.
TMXW=0.
TMYW=0.
TMXYW=0.
TVXW=0.
TVYW=0.
TWWP=0.
TNXW=0.
TNYW=0.
TNXYW=0.
C SET INDEX VALUES
KUW=1
KVW=1
KWW=1
KMXW=1
KMYW=1
KMXYW=1
KVXW=1
KVYW=1
KWWP=1
KNXW=1
KNYW=1
KNXYW=1
C SET SUMMATION INDEX
N=1
40 M=(N+1)/2
AN=N
ANP=AN*PI
ANP2=ANP**2
ANP3=ANP**3
ANP5=ANP**5
```

```

BC=ANP*RCB
BY=ANP*PY
BXW=PXW*BC
SBY=SIN(BY)
CBY=COS(BY)
CBC=COSH(BC)
SBXW=SINH(BXW)
CBXW=COSH(BXW)
SXW=SBXW/CBC
CXW=CBXW/CBC
BXSXW=BXW*SXW
BXCXW=BXW*CXW
C CHECK INDEX VALUE INDICATING WHETHER TO SKIP THIS PART OR NOT
IF(KUW.EQ.2) GO TO 201
UW=-RBW*ANP*(B5(M)*OPNU*CXW+B6(M)*(OPNU*BXSXW-OMNU*CXW)
- +B7(M)*OPNU*SXW+B8(M)*(OPNU*BXCXW-OMNU*SXW))*SBY
C SUMMATION
TUV=TUV+UW
C CHECK THAT THE PARTIAL SUM IS NOT ZERO TO AVOID OVERFLOW
IF(TUV.NE.0.) GO TO 161
EUW=0.
GO TO 162
C THE PERCENTAGE OF THE LAST TERM TO THE PARTIAL SUM
161 EUW=ABS(UW/TUV)*100.
C CHECK WHETHER THE LAST TERM IS LESS THAN 0.25 PERCENT OF THE
C PARTIAL SUM AND RESET THE INDEX VALUE
162 IF(EUW.LE.0.25) KUW=2
C REGISTER THE RESULT AND ERROR
TU(JY,JX)=TUV
EU(JY,JX)=EUW
C REPEAT THE ABOVE PROCEDURE TO OBTAIN OTHER RESULTS
201 IF(KVW.EQ.2) GO TO 202
VW=-RBW*ANP*(B5(M)*OPNU*SXW+B6(M)*(OPNU*BXCXW+2.*SXW)
- +B7(M)*OPNU*CXW+B8(M)*(OPNU*BXSXW+2.*CXW))*CBY
TVW=TVW+VW
IF(TVW.NE.0.) GO TO 163
EVW=0.
GO TO 164
163 EVW=ABS(VW/TVW)*100.
164 IF(EVW.LE.0.25) KVW=2
TV(JY,JX)=TVW
EV(JY,JX)=EVW
202 IF(KWW.EQ.2) GO TO 203
WW=WWMU*(B1(M)*SXW+B2(M)*BXCXW+B3(M)*CXW+B4(M)*BXSXW)*SBY
TWW=TWW+WW
IF(TWW.NE.0.) GO TO 165
EWW=0.
GO TO 166
165 EWW=ABS(WW/TWW)*100.
166 IF(EWW.LE.0.25) KWW=2
TW(JY,JX)=TWW
EW(JY,JX)=EWW

```

203 IF (KMXW.EQ.2) GO TO 204
 MXW=-RWD3*ANP2*(B1(M)*OMNU*SXW+B2(M)*(OMNU*BXCXW+2.*SXW)
 - +B3(M)*OMNU*CXW+B4(M)*(OMNU*BXSXW+2.*CXW))*SBY
 TMXW=TMXW+MXW
 IF (TMXW.NE.O.) GO TO 167
 EMXW=0.
 GO TO 168
 167 EMXW=ABS(MXW/TMXW)*100.
 168 IF (EMXW.LE.O.25) KMXW=2
 TMX(JY,JX)=TMXW
 EMX(JY,JX)=EMXW
 204 IF (KMYW.EQ.2) GO TO 209
 MYW=RWD3*ANP2*(B1(M)*OMNU*SXW+B2(M)*(OMNU*BXCXW-2.*ANU*SXW)
 - +B3(M)*OMNU*CXW+B4(M)*(OMNU*BXSXW-2.*ANU*CXW))*SBY
 TMYW=TMYW+MYW
 IF (TMYW.NE.O.) GO TO 169
 EMYW=0.
 GO TO 170
 169 EMYW=ABS(MYW/TMYW)*100.
 170 IF (EMYW.LE.O.25) KMYW=2
 TMY(JY,JX)=TMYW
 EMY(JY,JX)=EMYW
 205 IF (KMXYW.EQ.2) GO TO 206
 MXYW=-RWD3*OMNU*ANP2*(B1(M)*CXW+B2(M)*(BXSXW+CXW)+B3(M)*SXW
 - +B4(M)*(BXCXW+SXW))*CBY
 TMXYW=TMXYW+MXYW
 IF (TMXYW.NE.O.) GO TO 171
 EMXYW=0.
 GO TO 172
 171 EMXYW=ABS(MXYW/TMXYW)*100.
 172 IF (EMXYW.LE.O.25) KMXYW=2
 TMXY(JY,JX)=TMXYW
 EMXY(JY,JX)=EMXYW
 206 IF (KVXW.EQ.2) GO TO 207
 VXW=RWD3*ANP3*(B1(M)*OMNU*CXW+B2(M)*(OMNU*BXSXW-OPNU*CXW)
 - +B3(M)*OMNU*SXW+B4(M)*(OMNU*BXCXW-OPNU*SXW))*SBY
 TVXW=TVXW+VXW
 IF (TVXW.NE.O.) GO TO 173
 EVXW=0.
 GO TO 174
 173 EVXW=ABS(VXW/TVXW)*100.
 174 IF (EVXW.LE.O.25) KVXW=2
 TVX(JY,JX)=TVXW
 EVX(JY,JX)=EVXW
 207 IF (KVYW.EQ.2) GO TO 208
 VYW=-RWD3*ANP3*(B1(M)*OMNU*SXW+B2(M)*(OMNU*BXCXW+2.*(2.-ANU)*SXW)
 - +B3(M)*OMNU*CXW+B4(M)*(OMNU*BXSXW+2.*(2.-ANU)*CXW))*CBY
 TVYW=TVYW+VYW
 IF (TVYW.NE.O.) GO TO 175
 EVYW=0.
 GO TO 176
 175 EVYW=ABS(VYW/TVYW)*100.


```

176  IF(EVYW.LE.0.25) KVYW=2
      TVY(JY,JX)=TVYW
      EVY(JY,JX)=EVYW
208  IF(KNXW.EQ.2) GO TO 209
      NXW=-ANP2*(B5(M)*SXW+B6(M)*BXCXW+B7(M)*CXW+B8(M)*BXSXW)*SBY
      TNXW=TNXW+NXW
      IF(TNXW.NE.0.) GO TO 177
      ENXW=0.
      GO TO 178
177  ENXW=ABS(NXW/TNXW)*100.
178  IF(ENXW.LE.0.25) KNXW=2
      TNX(JY,JX)=TNXW
      ENX(JY,JX)=ENXW
209  IF(KNYW.EQ.2) GO TO 210
      NYW=ANP2*(B5(M)*SXW+B6(M)*(BXCXW+2.*SXW)+B7(M)*CXW+B8(M)
-      *(BXSXW+2.*CXW))*SBY
      TNYW=TNYW+NYW
      IF(TNYW.NE.0.) GO TO 179
      ENYW=0.
      GO TO 180
179  ENYW=ABS(NYW/TNYW)*100.
180  IF(ENYW.LE.0.25) KNYW=2
      TNY(JY,JX)=TNYW
      ENY(JY,JX)=ENYW
210  IF(KNXYW.EQ.2) GO TO 211
      NXYW=-ANP2*(B5(M)*CXW+B6(M)*(BXSXW+CXW)+B7(M)*SXW+B8(M)
-      *(BXCXW+SXW))*CBY
      TNXYW=TNXYW+NXYW
      IF(TNXYW.NE.0.) GO TO 181
      ENXYW=0.
      GO TO 182
181  ENXYW=ABS(NXYW/TNXYW)*100.
182  IF(ENXYW.LE.0.25) KNXYW=2
      TNXY(JY,JX)=TNXYW
      ENXY(JY,JX)=ENXYW
211  IF(KWWP.EQ.2) GO TO 212
      WWP=WWMU*ANP*(B1(M)*CXW+B2(M)*(CXW+BXSXW)+B3(M)*SXW+B4(M)
-      *(SXW+BXCXW))*SBY
      TWWP=TWWP+WWP
      IF(TWWP.NE.0.) GO TO 183
      EWWP=0.
      GO TO 184
183  EWWP=ABS(WWP/TWWP)*100.
184  IF(EWWP.LE.0.25) KWWP=2
      TTWP(JY,JX)=TWWP
      EWP(JY,JX)=EWWP
C    IF THE SUMMATION REACHED 100 TERMS?GO ON TO SOLVE THE NEXT POINT
212  IF(N.EQ.199) GO TO 45
C    THE NEXT SUMMATION INDEX
      N=N+2

```

```

C      IF ALL THE LAST TERMS ARE NOT LESS THAN 0.25 PERCENT OF THEIR
C      PARTIAL SUMS,GO BACK TO ADD MORE TERMS
      KKKW=KUW+KVW+KWW+KMXW+KMYW+KMXYW+KVXW+KVYW+KNXW+KNYW+KNXYW+KWWP
      IF(KKKW.LT.24) GO TO 40
C      THE NEXT POINT
45     PXW=PXW+XWI
C      IF ALL REQUIRED POINTS ON WEB PLATE ARE SOLVED,GO ON TO ANOTHER SECTION
      IF(PXW.GT.1.0) GO TO 60
      JX=JX+1
      GO TO 35
C      THE NEXT SECTION
60     PY=PY+YI
C      IF ALL REQUIRED SECTIONS ARE SOLVED,PRINT THE RESULTS
      IF(PY.GT.0.5) GO TO 499
      JY=JY+1
      GO TO 6
C      VALUE OF XD AND XW
      X(1)=0.
      X(2)=0.25
      X(3)=0.50
      X(4)=0.75
      X(5)=1.
      X(6)=-1.
      X(7)=-0.75
      X(8)=-0.50
      X(9)=-0.25
      X(10)=0.
      X(11)=0.25
      X(12)=0.50
      X(13)=0.75
      X(14)=1.
C      WRITE STATEMENTS AND FORMATS
499    WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
      WRITE(9,501)
      WRITE(9,502)
      WRITE(9,526) (X(J),((TU(I,J),EU(I,J)),I=1,6),J=1,5)
      WRITE(9,514)
      WRITE(9,526) (X(J),((TU(I,J),EU(I,J)),I=1,6),J=6,14)
      WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
      WRITE(9,501)
      WRITE(9,503)
      WRITE(9,526) (X(J),((TV(I,J),EV(I,J)),I=1,6),J=1,5)
      WRITE(9,515)
      WRITE(9,526) (X(J),((TV(I,J),EV(I,J)),I=1,6),J=6,14)
      WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
      WRITE(9,501)
      WRITE(9,504)
      WRITE(9,526) (X(J),((TW(I,J),EW(I,J)),I=1,6),J=1,5)
      WRITE(9,516)
      WRITE(9,526) (X(J),((TW(I,J),EW(I,J)),I=1,6),J=6,14)

```

```

WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,505)
WRITE(9,526) (X(J),((TMX(I,J),EMX(I,J)),I=1,6),J=1,5)
WRITE(9,517)
WRITE(9,526) (X(J),((TMX(I,J),EMX(I,J)),I=1,6),J=6,14)
WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,506)
WRITE(9,526) (X(J),((TMY(I,J),EMY(I,J)),I=1,6),J=1,5)
WRITE(9,518)
WRITE(9,526) (X(J),((TMY(I,J),EMY(I,J)),I=1,6),J=6,14)
WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,507)
WRITE(9,526) (X(J),((TMXY(I,J),EMXY(I,J)),I=1,6),J=1,5)
WRITE(9,519)
WRITE(9,526) (X(J),((TMXY(I,J),EMXY(I,J)),I=1,6),J=6,14)
WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,508)
WRITE(9,526) (X(J),((TVX(I,J),EVX(I,J)),I=1,6),J=1,5)
WRITE(9,520)
WRITE(9,526) (X(J),((TVX(I,J),EVX(I,J)),I=1,6),J=6,14)
WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,509)
WRITE(9,526) (X(J),((TVY(I,J),EVY(I,J)),I=1,6),J=1,5)
WRITE(9,521)
WRITE(9,526) (X(J),((TVY(I,J),EVY(I,J)),I=1,6),J=6,14)
WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,510)
WRITE(9,526) (X(J),((TTWP(I,J),EWP(I,J)),I=1,6),J=1,5)
WRITE(9,522)
WRITE(9,526) (X(J),((TTWP(I,J),EWP(I,J)),I=1,6),J=6,14)
WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,511)
WRITE(9,526) (X(J),((TNX(I,J),ENX(I,J)),I=1,6),J=1,5)
WRITE(9,523)
WRITE(9,526) (X(J),((TNX(I,J),ENX(I,J)),I=1,6),J=6,14)
WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,512)
WRITE(9,526) (X(J),((TNY(I,J),ENY(I,J)),I=1,6),J=1,5)
WRITE(9,524)
WRITE(9,526) (X(J),((TNY(I,J),ENY(I,J)),I=1,6),J=6,14)
WRITE(9,500) WIDTH,DEPTH,TDECK,TWEB,SPAN
WRITE(9,501)
WRITE(9,513)

```




```

WRITE(9,526) (X(J),((TNXY(I,J),ENXY(I,J)),I=1,6),J=1,5)
WRITE(9,525)
WRITE(9,526) (X(J),((TNXY(I,J),ENXY(I,J)),I=1,6),J=6,14)
500  FORMAT(1H1,1X,'WIDTH =',F4.1,' CM', ' DEPTH =',F4.1,' CM', ' DECK
-THICKNESS =',F3.1,' CM', ' WEB THICKNESS =',F3.1,' CM', ' SPAN =',
-F5.1,' CM')
501  FORMAT(/,6X,'Y',10X,'0.0',17X,'0.1',17X,'0.2',17X,'0.3',17X,'0.4',
-17X,'0.5')
502  FORMAT(/,2X,'UD'/4X,'XD'//)
503  FORMAT(/,2X,'VD'/4X,'XD'//)
504  FORMAT(/,2X,'WD'/4X,'XD'//)
505  FORMAT(/,2X,'MXD'/4X,'XD'//)
506  FORMAT(/,2X,'MYD'/4X,'XD'//)
507  FORMAT(/,2X,'MXYD'/4X,'XD'//)
508  FORMAT(/,2X,'VXD'/4X,'XD'//)
509  FORMAT(/,2X,'VYD'/4X,'XD'//)
510  FORMAT(/,2X,'WDP'/4X,'XD'//)
511  FORMAT(/,2X,'NXD'/4X,'XD'//)
512  FORMAT(/,2X,'NYD'/4X,'XD'//)
513  FORMAT(/,2X,'NXYD'/4X,'XD'//)
514  FORMAT(///,2X,'UW'/4X,'XW'//)
515  FORMAT(///,2X,'VW'/4X,'XW'//)
516  FORMAT(///,2X,'WW'/4X,'XW'//)
517  FORMAT(///,2X,'MXW'/4X,'XW'//)
518  FORMAT(///,2X,'MYW'/4X,'XW'//)
519  FORMAT(///,2X,'MXYW'/4X,'XW'//)
520  FORMAT(///,2X,'VXW'/4X,'XW'//)
521  FORMAT(///,2X,'VYW'/4X,'XW'//)
522  FORMAT(///,2X,'WWP'/4X,'XW'//)
523  FORMAT(///,2X,'NXW'/4X,'XW'//)
524  FORMAT(///,2X,'NYW'/4X,'XW'//)
525  FORMAT(///,2X,'NXYW'/4X,'XW'//)
526  FORMAT((2X,F5.2,3X,6(E12.5,1X,F5.2,2X))//)
STOP
END

```

$$\text{in which } UD = \frac{u_d E}{qb} ; VD = \frac{v_d E}{qb} ; WD = \frac{w_d E}{qb} ; UW = \frac{u_w E}{qb} ; VW = \frac{v_w E}{qb} ; WW = \frac{w_w E}{qb} ;$$

$$MXD = \frac{M_{xd}}{qb^2} ; MYD = \frac{M_{yd}}{qb^2} ; MXYD = \frac{M_{xyd}}{qb^2} ; MXW = \frac{M_{xw}}{qb^2} ; MYW = \frac{M_{yw}}{qb^2} ; MXYW = \frac{M_{xyw}}{qb^2} ;$$

$$VXD = \frac{V_{xd}}{qb} ; VYD = \frac{V_{yd}}{qb} ; VXW = \frac{V_{xw}}{qb} ; VYW = \frac{V_{yw}}{qb} ; WDP = \frac{\partial w_d}{\partial x_d} ; WWP = \frac{\partial w_w}{\partial x_w} ;$$

$$NXD = \frac{N_{xd}}{qb} ; NYD = \frac{N_{yd}}{qb} ; NXYD = \frac{N_{xyd}}{qb} ; NXW = \frac{N_{xw}}{qb} ; NYW = \frac{N_{yw}}{qb} ; NXYW = \frac{N_{xyw}}{qb} .$$

Subprogram

```

SUBROUTINE SIMQ(A,B,N)
6  SUBPROGRAM TO SOLVE SIMULTANEOUS EQUATIONS
   DIMENSION A(1),B(1)
   JJ=-N
   DO 65 J=1,N
   JY=J+1
   JJ=JJ+N+1
   BIGA=0
   IT=JJ-J
   DO 30 I=J,N
   IJ=IT+I
   IF(ABS(BIGA)-ABS(A(IJ))) 20,30,30
20  BIGA=A(IJ)
   IMAX=I
30  CONTINUE
40  I1=J+N*(J-2)
   IT=IMAX-J
   DO 50 K=J,N
   I1=I1+N
   I2=I1+IT
   SAVE=A(I1)
   A(I1)=A(I2)
   A(I2)=SAVE
50  A(I1)=A(I1)/BIGA
   SAVE=B(IMAX)
   B(IMAX)=B(J)
   B(J)=SAVE/BIGA
   IF(J-N) 55,70,55
55  IQS=N*(J-1)
   DO 65 IX=JY,N
   IXJ=IQS+IX
   IT=J-IX
   DO 60 JX=JY,N
   IXJX=N*(JX-1)+IX
   JJX=IXJX+IT
60  A(IXJX)=A(IXJX)-(A(IXJ)*A(JJX))
65  B(IX)=B(IX)-(B(J)*A(IXJ))
70  NY=N-1
   IT=N*N
   DO 80 J=1,NY
   IA=IT-J
   IB=N-J
   IC=N
   DO 80 K=1,J
   B(IB)=B(IB)-A(IA)*B(IC)
   IA=IA-N
80  IC=IC-1
   RETURN
   END

```

VITA

Mr. Vicharn Khongkha was born on October 6th, 1952; at Yala, Thailand. Acquired Bachelor's Degree in Engineering from Chulalongkorn University in March, 1974.

