

รายการอ้างอิง

ภาษาไทย

- จงดี โรจนประศาสน์. การเปรียบเทียบวิธีการประมาณค่าพารามิเตอร์ในสมการถดถอยเชิงเส้น
อย่างง่ายเมื่อตัวแปรตามมีค่าที่ถูกตัดทิ้ง. วิทยานิพนธ์ปริญญาโท
ภาควิชาสถิติ บัณฑิตวิทยาลัยจุฬาลงกรณ์มหาวิทยาลัย
- ธิดาเดียง มยุรีสุวรรณ. การเปรียบเทียบวิธีการประมาณช่วงความเชื่อมั่นสำหรับค่าสัดส่วน
ประชากร. วิทยานิพนธ์ปริญญาโท ภาควิชาสถิติ บัณฑิตวิทยาลัย-
จุฬาลงกรณ์มหาวิทยาลัย
- ธีระพร วีระถาวร. การอนุมานเชิงสถิติขั้นกลาง โครงสร้างและความหมาย,
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สถาบันวิทยบริการ
จุฬาลงกรณ์มหาวิทยาลัย



ภาคผนวก

สถาบันวิทยบริการ
จุฬาลงกรณ์มหาวิทยาลัย

ภาคผนวก ก.

ตัวประมาณพีแอด (PL Estimator)

$$\hat{q}_i = \frac{d_i}{n_i}$$

$$\hat{p}_i = 1 - \hat{q}_i = \begin{cases} 1 - \frac{1}{n_i} & \delta_i = 1 \text{ ข้อมูลที่ไม่ถูกคัดทิ้ง} \\ 1 & \delta_i = 0 \text{ ข้อมูลที่ถูกคัดทิ้ง} \end{cases}$$

$$\begin{aligned} \hat{S}(t) &= \prod_{(i:t) \leq t} \hat{p}_i = \prod_{(i:t) \leq t} \left(1 - \frac{1}{n_i}\right)^{\delta_i} \\ &= \prod_{(i:t) \leq t} \left(1 - \frac{1}{n-i+1}\right)^{\delta_i} \\ &= \prod_{(i:t) \leq t} \left(\frac{n-i}{n-i+1}\right)^{\delta_i} \end{aligned}$$

ความแปรปรวนของ $\hat{S}(t)$

จาก $\hat{S}(t) = \prod_{(i:t) \leq t} \hat{p}_i$ จะได้ $\log(\hat{S}(t)) = \sum_{(i:t) \leq t} \log(\hat{p}_i)$

โดยที่ $\text{Var}(\hat{p}_i) = \frac{p_i q_i}{n_i}$

จากสูตรของความแปรปรวนของฟังก์ชัน $g(x)$

$$\text{Var}(g(x)) = (g'(m))^2 \text{Var}(x)$$

โดยที่ $m = E[X]$

พิสูจน์ได้โดยกำหนดให้ $y = g(x)$ และ $m = E[X]$

$g(x)$ เขียนในรูปอนุกรม Taylor ได้ดังนี้

$$g(x) = g(m) + (x-m)g'(m) + \frac{1}{2}(x-m)^2 g''(m) + \dots$$

$$E[y] = E[g(x)] \approx g(m) + \frac{1}{2} g''(m) \text{Var}(x)$$

เพราะว่า $E[g(m)] = g(m)$ และ $E[x-m] = 0$

$$\begin{aligned}\text{Var}[g(x)] &= E\{[g(x) - E\{g(x)\}]^2\} \\ &\approx E\{(x - m)^2 [g'(m)]^2\} \\ &= [g'(m)]^2 \text{Var}(x)\end{aligned}$$

$$\begin{aligned}\text{ดังนั้น } \text{Var}(\log(\hat{S}(t))) &= \sum_{(t_i \leq t)} \left(\frac{1}{p_i}\right)^2 \left(\frac{p_i q_i}{n_i}\right) \\ &= \sum_{(t_i \leq t)} \left(\frac{q_i}{p_i n_i}\right)\end{aligned}$$

เพราะฉะนั้น

$$\text{Var}(\hat{S}(t)) = (S(t))^2 \sum_{(t_i \leq t)} \left(\frac{q_i}{p_i n_i}\right)$$

เนื่องจากไม่ทราบค่าของ $S(t)$, p_i และ q_i ดังนั้นต้องใช้ตัวประมาณแทน

$$\hat{\text{Var}}(\hat{S}(t)) = (\hat{S}(t))^2 \sum_{(t_i \leq t)} \left(\frac{\hat{q}_i}{\hat{p}_i n_i}\right)$$

ในทางปฏิบัติสามารถประมาณค่าความแปรปรวนของ $\hat{S}(t)$ ได้โดย (Greenwood's formula)

$$\hat{\text{Var}}(\hat{S}(t)) = (\hat{S}(t))^2 \sum_{(t_i \leq t)} \frac{\delta_i}{(n-i)(n-i+1)}$$

$$\text{หรือ } \hat{\text{Var}}(\hat{S}(t)) = \frac{\hat{S}(t) \hat{\sigma}^2(t)}{n}$$

$$\text{โดยที่ } \hat{\sigma}^2(t) = n \sum_{(t_i \leq t)} \frac{\delta_i}{(n-i)(n-i+1)}$$

$$\text{กำหนดให้ } \hat{K}(t) = \frac{\hat{\sigma}^2(t)}{1 + \hat{\sigma}^2(t)} \quad \text{ดังนั้น } 0 < \hat{K}(t) < 1$$

$$\bar{K}(t) = 1 - \hat{K}(t)$$

ในกรณีที่มีข้อมูลเป็นแบบสมบูรณ์จะได้ $\hat{K}(t) = \hat{F}(t) = 1 - \hat{S}(t)$

ภาคผนวก ข.

CC

C CONFIDENCE BANDS FOR SURVIVAL FUNCTIONS

CC

DOUBLE PRECISION PHL,IFault,PLIM,P0,P1,P2,P3,P4,

* Q0,Q1,Q2,Q3,Q4,P,VTEMP

DIMENSION X(200),IDX(200),XC(200),XN(200),PL(3),PL1(3),PA0(3),

*PB1(3),WEN(12,3),WHN(12,3),WRN(12,3),SWE(12,3),SWH(12,3),

*SWR(12,3),WE(12,3),WH(12,3),WR(12,3),BWE(12,3),BWH(12,3),

*BWR(12,3),Y(12),WEBD(12,3),WHBD(12,3),WRBD(12,3),SS(12),ELP(3),

*HLP(3),RLP(3),URP(3),VEP(3),UHW(3),VHW(3),URN(3),VRN(3)

COMMON /SEED/IX /SELECT/KK

REAL NORMAL

DATA (Y(I),I=1,12) /0.25,0.5,0.75,1.0,1.25,1.5,1.75,2.0,2.25,2.5,

*2.75,3.0/

LP = 3

NP = 12

N = 25

NN = 23

NC = 2

LO = 2000

PL(1) = 0.1

PL(2) = 0.05

PL(3) = 0.01

PL1(1) = 0.8890

PL1(2) = 0.9405

PL1(3) = 0.9843

PA0(1) = 2.0

PA0(2) = 3.0

```

PA0(3) = 3.0
PB1(1) = 3.0
PB1(2) = 4.0
PB1(3) = 4.0
AA = 0.0
BB = 3.0
EALP = 0.4
ALP = 1.0
GMA = 1.50
DMEAN = 0.0
DVARI = 0.7
SIGMA = SQRT(DVARI)
AB = 0.30
AC = 3.50
IA = 65539
IX = 173
KK = 0
WRITE(6,900) N,NN,NC,LO,IX
900 FORMAT(20X,' N =',I3,' NN =',I3,' NC =',I3,' LO =',I4,' IX =',I6)
WRITE(6,910) ALP,GMA,AA,BB
910 FORMAT(20X,' ALPHA =',F5.2,' GAMA =',F5.2,' A =',F5.2,' B =',F5.2)
5000 SIC = 0.0
DO 91 LI2 = 1,NP
DO 90 I = 1,LP
SWB(LI2,I) = 0.0
SWH(LI2,I) = 0.0
SWR(LI2,I) = 0.0
BWB(LI2,I) = 0.0
BWH(LI2,I) = 0.0
BWR(LI2,I) = 0.0

```

```
WEN(LI2,I) = 0.0
WHN(LI2,I) = 0.0
WRN(LI2,I) = 0.0
WE(LI2,I) = 0.0
WH(LI2,I) = 0.0
WR(LI2,I) = 0.0
WEED(LI2,I) = 0.0
WHBD(LI2,I) = 0.0
WRBD(LI2,I) = 0.0
90 CONTINUE
91 CONTINUE
  NNLO = 0.0
  DO 50 L = 1,LO
66 DO 100 I = 1,N
    X(I) = 0.0
    XN(I) = 0.0
    XC(I) = 0.0
    IDX(I) = 0
100 CONTINUE
    PDL = 0.0
    VRI = 0.0
    VKN = 0.0
    VBKN = 0.0
    UBD = 0.0
    VBD = 0.0
  DO 105 I = 1,LP
    UEP(I) = 0.0
    VEP(I) = 0.0
    UHW(I) = 0.0
    VHW(I) = 0.0
```


URN(I) = 0.0

VRN(I) = 0.0

HLP(I) = 0.0

HLP(I) = 0.0

RLP(I) = 0.0

105 CONTINUE

J5 = 0

INN = 0

INC = 0

DO 120 J1 = 1,N

109 XN(J1) = WEIBUL(ALP,GMA)

C109 A1 = NORMAL(DMEAN,SIGMA)

C XN(J1) = EXP(A1)

C109 XN(J1) = GOMPT(AB,AC)

XC(J1) = UNI(AA,BB)

C XC(J1) = CBXPO(EALP)

X(J1) = AMIN1(XN(J1),XC(J1))

IF (X(J1) .EQ. XN(J1)) THEN

INN = INN+1

IDX(J1) = 1

ELSE

INC = INC+1

IDX(J1) = 0

ENDIF

IF (INN .EQ. NN) GOTO 121

IF (INC .EQ. NC) GOTO 122

120 CONTINUE

GOTO 132

121 NC1 = NC-INC

IF (NC1 .EQ. 0) GOTO 132

```

DO 128 J2 = 1,NC1
    J3 = J1+J2
124 XN(J3) = WEIBUL(ALP,GMA)
C124 A1 = NORMAL(DMEAN,SIGMA)
C    XN(J3) = EXP(A1)
C124 XN(J3) = GOMPT(AB,AC)
    XC(J3) = UNI(AA,BB)
C    XC(J3) = CEXPO(EALP)
    X(J3) = AMIN1(XN(J3),XC(J3))
    IF (X(J3) .EQ. XN(J3)) GOTO 124
    IDX(J3) = 0
128 CONTINUE
122 NN1 = NN-INN
    IF (NN1 .EQ. 0) GOTO 132
    DO 129 J2 = 1,NN1
        J3 = J1+J2
126 XN(J3) = WEIBUL(ALP,GMA)
C126 A1 = NORMAL(DMEAN,SIGMA)
C    XN(J3) = EXP(A1)
C126 XN(J3) = GOMPT(AB,AC)
    XC(J3) = UNI(AA,BB)
C    XC(J3) = CEXPO(EALP)
    X(J3) = AMIN1(XN(J3),XC(J3))
    IF (X(J3) .EQ. XN(J3)) GOTO 126
    IDX(J3) = 1
129 CONTINUE
132 CALL RANK(N,X,IDX)
    DO 5 LI = 1,NP
        SS(LI) = 0.0
        XS = Y(LI)

```

```

CALL SURLNR(XS,SUW,ALP,GMA)
SS(LI) = SUW
CALL PROLM(N,X,IDX,XS,PDL)
CALL VARIAN(N,X,IDX,XS,VRI,VKN,VBKN)
CALL CVARIA(N,X,IDX,VKNT)
DO 150 I = 1,LP
CALL CVALEP(PA0(I),PB1(I),PL(I),VKNT,HLP(I))
CALL CVALHW(PL(I),HLP(I))
CALL CVALRN(PL(I),VKNT,RLP(I))
CALL EPBAND(N,HLP(I),PDL,VRI,UEP(I),VEP(I))
CALL HWBAND(N,HLP(I),PDL,VBKN,UHW(I),VHW(I))
CALL RNBAND(N,RLP(I),PDL,URN(I),VRN(I))
CALL HRRBD(UEP(I),VEP(I),SUW,WEN(LI,I))
CALL HRRBD(UHW(I),VHW(I),SUW,WHN(LI,I))
CALL HRRBD(URN(I),VRN(I),SUW,WRN(LI,I))
CALL WIDEBD(UEP(I),VEP(I),WEBD(LI,I))
CALL WIDEBD(UHW(I),VHW(I),WHBD(LI,I))
CALL WIDEBD(URN(I),VRN(I),WRBD(LI,I))
SWE(LI,I) = SWE(LI,I) + WEBD(LI,I)
SWH(LI,I) = SWH(LI,I) + WHBD(LI,I)
SWR(LI,I) = SWR(LI,I) + WRBD(LI,I)
150 CONTINUE
5 CONTINUE
50 CONTINUE
WRITE(6,1168)
1168 FORMAT(/,30X,'*****',/35X,'WEIBULL DIST',
*/30X,'*****')
DO 180 I = 1,LP
WRITE(6,1166) PL(I),PL1(I)
1166 FORMAT(/,30X,'ALPHA = ',F5.2,10X,'LIMIT = ',F6.4)

```

```

WRITE(6,1165)
1165 FORMAT(/,20X,' X(I) ',4X,'EP BAND',7X,'HW BAND',7X,'RN BAND')
DO 160 LI = 1,NP
WE(LI,I) = WEN(LI,I)/LO
WH(LI,I) = WHN(LI,I)/LO
WR(LI,I) = WRN(LI,I)/LO
WRITE(6,1175) Y(LI),WE(LI,I),WH(LI,I),WR(LI,I)
1175 FORMAT(20X,F6.3,4X,F7.4,7X,F7.4,7X,F7.4)
BWE(LI,I) = SWE(LI,I)/LO
BWH(LI,I) = SWH(LI,I)/LO
BWR(LI,I) = SWR(LI,I)/LO
IF (WE(LI,I) LT. PL1(I)) THEN
BWE(LI,I) = 0.0
ENDIF
IF (WH(LI,I) LT. PL1(I)) THEN
BWH(LI,I) = 0.0
ENDIF
IF (WR(LI,I) LT. PL1(I)) THEN
BWR(LI,I) = 0.0
ENDIF
160 CONTINUE
WRITE(6,1180)
1180 FORMAT(/,5X,' SUR',5X,' X(I)',5X,'WIDE OF EP',5X,'WIDE OF HW',5X,
*WIDE OF RN')
DO 170 LI3 = 1,NP
WRITE(6,1190) SS(LI3),Y(LI3),BWE(LI3,I),BWH(LI3,I),BWR(LI3,I)
1190 FORMAT(5X,F7.4,5X,F5.2,3(5X,F10.4))
170 CONTINUE
180 CONTINUE
8000 WRITE(6,3270)

```

```
3270 FORMAT(/'30X,' END OF JOB '///)
```

```
STOP
```

```
END
```

```
*****
```

```
C SUBROUTINE RANDOM VARIABLE
```

```
*****
```

```
SUBROUTINE RAND(DX,IY,YFL)
```

```
IY = DX*65539
```

```
IF (IY) 10,20,20
```

```
10 IY = IY + 2147483647 + 1
```

```
20 YFL = IY
```

```
YFL = YFL/2147483647
```

```
IX = IY
```

```
RETURN
```

```
END
```

```
*****
```

```
C WEIBULL DISTRIBUTION
```

```
*****
```

```
FUNCTION WEIBUL(ALP,GMA)
```

```
COMMON /SEED/IX
```

```
10 CALL RAND(DX,IY,YFL)
```

```
IF ((YFL EQ. 1.0) .OR. (YFL EQ. 0.0)) GOTO 10
```

```
WEIBUL = (1/ALP)**(-1*(ALOG(1.0-YFL)))***(1.0/GMA)
```

```
RETURN
```

```
END
```

```
*****
```

```
C NORMAL DISTRIBUTION
```

```
*****
```

```
FUNCTION NORMAL(DMEAN,SIGMA)
```

```
REAL NORMAL
```

```

COMMON /SEED/IX /SELECT/KK
PI = 3.1415926
IF (KK.EQ.1) GOTO 10
  CALL RAND(IX,IY,YFL)
  RONE = YFL
  CALL RAND(IX,IY,YFL)
  RTWO = YFL
  ZONE = SQRT(-2*ALOG(RONE))*COS(2*PI*RTWO)
  ZTWO = SQRT(-2*ALOG(RONE))*SIN(2*PI*RTWO)
  NORMAL = ZONE*SIGMA + DMEAN
  KK = 1
  RETURN
10 NORMAL = ZTWO*SIGMA + DMEAN
  KK = 0
  RETURN
END

```

```

C*****

```

```

C  GOMPERTZ DISTRIBUTION

```

```

C*****

```

```

FUNCTION GOMPT(B,C)
COMMON /SEED/IX
CALL RAND(IX,IY,YFL)
GOMPT = (1/ALOG(C))*(ALOG(1-(ALOG(C)*ALOG(1-YFL)/B)))
RETURN
END

```

```

C*****

```

```

C  UNIFORM DISTRIBUTION

```

```

C*****

```

```

FUNCTION UNI(AA,BB)
COMMON /SEED/IX

```

```
CALL RAND(IY,IY,YFL)
```

```
UNI = AA+(BB-AA)*YFL
```

```
RETURN
```

```
END
```

```
CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
```

```
C   EXPONENTIAL DISTRIBUTION
```

```
CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
```

```
FUNCTION CEXPO(EALP)
```

```
COMMON /SEED/IX
```

```
CALL RAND(IX,IY,YFL)
```

```
CEXPO = (-1.0*ALOG(1.0-YFL))/EALP
```

```
RETURN
```

```
END
```

```
CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
```

```
C   SUBROUTINE SORTING DATA
```

```
CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
```

```
SUBROUTINE RANK(N,X,IDX)
```

```
INTEGER N,I,J,SP,MID,LEFT(20),RIGHT(20),IDX(200)
```

```
REAL X(200),PIVOT
```

```
LEFT(1) = 1
```

```
RIGHT(1) = N
```

```
SP = 1
```

```
10 IF (LEFT(SP) LT. RIGHT(SP)) GOTO 20
```

```
SP = SP-1
```

```
GOTO 130
```

```
20 I = LEFT(SP)
```

```
J = RIGHT(SP)
```

```
PIVOT = X(J)
```

```
MID = (I+J)/2
```

```
IF (J-I LT. 6) GOTO 50
```

```

IF ((PIVOT .GT. X(I)) AND. (PIVOT LT. X(MID))) GOTO 50
IF ((PIVOT LT. X(I)) AND. (PIVOT .GT. X(MID))) GOTO 50
IF ((X(I) LT. X(MID)) AND. (X(I) .GT. PIVOT)) GOTO 30
IF ((X(I) .GT. X(MID)) AND. (X(I) LT. PIVOT)) GOTO 30
  CALL SWAP(X(MID),X(J),IDX(MID),IDX(J))
  GOTO 40
30 CALL SWAP(X(I),X(J),IDX(I),IDX(J))
40 PIVOT = X(J)
50 IF (I .GE. J) GOTO 110
60 IF (X(I) .GE. PIVOT) GOTO 70
  I = I+1
  GOTO 60
70 J = J-1
80 IF (.NOT.(I LT. J) AND. (PIVOT LT. X(J))) GOTO 90
  J = J-1
  GOTO 80
90 IF (I LT. J) CALL SWAP(X(I),X(J),IDX(I),IDX(J))
100 GOTO 50
110 J = RIGHT(SP)
  CALL SWAP(X(I),X(J),IDX(I),IDX(J))
  IF ((I-LEFT(SP)) .GE. (RIGHT(SP) - I)) GOTO 120
  LEFT(SP+1) = LEFT(SP)
  RIGHT(SP+1) = I-1
  LEFT(SP) = I+1
  GOTO 125
120 LEFT(SP+1) = I+1
  RIGHT(SP+1) = RIGHT(SP)
  RIGHT(SP) = I-1
125 SP = SP+1
130 IF (SP .GT. 0) GOTO 10

```


RETURN

END

CC

C SUBROUTINE SWAP X(I) WITH X(I+1)

CC

SUBROUTINE SWAP(X1,X2,IDX1,IDX2)

T = X1

X1 = X2

X2 = T

II = IDX1

IDX1 = IDX2

IDX2 = II

RETURN

END

CC

C SUBROUTINE PRODUCT LIMIT SURVIVAL

CC

SUBROUTINE PROLM(N,X,IDX,XS,PDL)

DIMENSION X(200),IDX(200)

REAL NK,NK1

SURMU = 1.0

DO 20 K=1,N

IF (X(K) .GT. XS) GOTO 30

IF (K .BQ. N) GOTO 30

NK = N-K

NK1 = N-K+1

SX = (NK/NK1)**IDX(K)

SURMU = SURMU*SX

20 CONTINUE

30 PDL = SURMU

RETURN

END

CC

C SUBROUTINE SIGMA SQUART WITH CENSORING DATA

CC

SUBROUTINE VARIAN(N,X,IDX,XS,VRI,VKN,VBKN)

DIMENSION X(200),IDX(200)

REAL NRR

SSR = 0

N1 = N-1

DO 20 K = 1,N1

IF (X(K) .GT. XS) GOTO 30

NRR = (N-K)*(N-K+1)

SR = IDX(K)/NRR

SSR = SSR+SR

20 CONTINUE

30 VRI = N*SSR

VKN = VRI/(VRI+1)

VBKN = 1-VKN

RETURN

END

CC

C SUBROUTINE SIGMA SQUART WITH COMPLETE DATA

CC

SUBROUTINE CVARIA(N,X,IDX,VKNT)

DIMENSION X(200),IDX(200)

REAL NRR

SSR = 0

DO 10 I = 1,N

IF (IDX(I) .EQ. 1) THEN

```

      IT = I
      ENDIF
10  CONTINUE
      N1 = N-1
      DO 20 K = 1,N1
          IF (X(K) .GT. X(IT)) GOTO 30
          NRR = (N-K)*(N-K+1)
          SR = IDX(K)/NRR
          SSR = SSR+SR
20  CONTINUE
30  VRI = N*SSR
      VKNT = VRI/(VRI+1)
      RETURN
      END
C*****
C  SUBROUTINE CRITICAL VALUE OF EQUAL PRECISION
C*****
      SUBROUTINE CVALEP(PA0,PB1,PL,VKNT,PLP)
      P0 = PA0
      P1 = PB1
      TOL = 0.0001
      NO = 200
      X1 = 0.95
      X2 = VKNT
      A = 0.05
      B = AMIN1(X1,X2)
      I = 2
      PP = 8*3.141592654
      Q0 = P0*EXP(-1*(P0**2)/2)*ALOG((B**2)/(A**2))/SQRT(PP)-(PL/2)
      Q1 = P1*EXP(-1*(P1**2)/2)*ALOG((B**2)/(A**2))/SQRT(PP)-(PL/2)

```

```

DO 10 I = 2,NO
  P = P1-(Q1*(P1-P0)/(Q1-Q0))
  FP = P*EXP(-1*(P**2)/2)*ALOG((B**2)/(A**2))/SQRT(PP)-(PL/2)
  IF (ABS(P-P1) LT. TOL) THEN
    HLP = P
    GOTO 50
  ENDIF
  P0 = P1
  Q0 = Q1
  P1 = P
  Q1 = FP
10 CONTINUE
  HLP = 0.0
50 RETURN
END

C*****
C  SUBROUTINE CRITICAL VALUE OF HALL-WELLNER
C*****
  SUBROUTINE CVALHW(PL,HLP)
  HLP = SQRT((-0.5)*(ALOG(PL)-ALOG(2.0)))
  RETURN
  END

C*****
C  SUBROUTINE CRITICAL VALUE OF RENYI
C*****
  SUBROUTINE CVALRN(PL,VKNT,RLP)
  DOUBLE PRECISION PHI,FAULT,PLIM,P0,P1,P2,P3,P4,
*    Q0,Q1,Q2,Q3,Q4,P,VTEMP
  X1 = 0.8
  X2 = VKNT

```

```

IFAULT = 0.0
PHI = (1-PL+3)/4
WL = VNORM(PHI,IFAULT)
B = AMIN1(X1,X2)
RLP = SQRT(B/(1-B))*WL
RETURN
END

```

```

C*****

```

```

C FUNCTION VALUE OF STANDARD NORMAL

```

```

C*****

```

```

FUNCTION CDFN(Z0)
  TLZO=(1./2.5066282746)*EXP((-1.*(Z0**2)/2.))
  TLWW=1.0/(1.0+0.33267*ABS(Z0))
  TLP=1.0-TLZO*(0.4361836*TLWW-0.1201676*(TLWW**2)
*   +0.937298*(TLWW**3))
  IF (Z0.GE.0) THEN
    CDFN=TLP
  ELSE
    CDFN=1.0-TLP
  ENDIF
RETURN
END

```

```

C*****

```

```

C FUNCTION VALUE OF INVERSE STANDARD NORMAL

```

```

C*****

```

```

FUNCTION VNORM(PHI,IFAULT)
  DOUBLE PRECISION PHI,IFAULT,PLIM,P0,P1,P2,P3,P4,
*   Q0,Q1,Q2,Q3,Q4,P,VTEMP
  DATA PLIM/1.0D-18/
  DATA P0/-0.3222324310245D0/, P1/-1.0/, P2/-0.342242088547D0/

```

```

DATA P3/-0.0204231210245D0/, P4/-0.43642210148D-4/
DATA Q0/0.099348462606D0/, Q1/0.588581570495D0/
DATA Q2/0.53110462366D0/, Q3/0.10353775285D0/
DATA Q4/0.38560700634D-2/
IF AULT=0.0
P=PHI
IF (P.GT.0.5) P=1-P
IF (P.GE.PLIM) GOTO 100
VMTEMP=8.0
IF (P.LT.0.0) GOTO 900
GOTO 200
100 Y=DSQRT(-DLOG(P*P))
VTEMP=Y+((((Y*P4+P3)*Y+P2)*Y+P1)*Y+P0)/
* (((Y*Q4+Q3)*Y+Q2)*Y+Q1)*Y+Q0)
200 IF (PHI.LT.0.5) VTEMP=-VTEMP
VNORM = VTEMP
RETURN
900 IFAULT=6
RETURN
END
C#####
C SUBROUTINE EQUAL PRECISION BAND
C#####
SUBROUTINE HPBAND(N, HLP, PDL, VRI, UEP, VEP)
REAL N1
SEP = 0.0
N1 = N
SEP = HLP*PDL*SQRT(VRI)/SQRT(N1)
UEP = PDL + SEP
VEP = PDL - SEP

```

RETURN

END

CSXX

C SUBROUTINE HALL-WELLNER BAND

CSXX

SUBROUTINE HWBAND(N,HLP,PDL,VBKN,UHW,VHW)

REAL N1

SHW = 0.0

N1 = N

SHW = HLP*PDL/(SQRT(N1)*VBKN)

UHW = PDL + SHW

VHW = PDL - SHW

RETURN

END

CSXX

C SUBROUTINE RENYI BAND

CSXX

SUBROUTINE RNBAND(N,RLP,PDL,URN,VRN)

REAL N1

SRN = 0.0

N1 = N

SRN = RLP*PDL/SQRT(N1)

URN = PDL + SRN

VRN = PDL - SRN

RETURN

END

CSXX

C SUBROUTINE SURVIVAL FUNCTION OF WEIBULL

CSXX

SUBROUTINE SURWEI(XS,SUW,ALP,GMA)

SUW = EXP(-1.0*((ALP*XS)**GMA))

RETURN

END

CC

C SUBROUTINE SURVIVAL FUNCTION OF LOGNORMAL

CC

SUBROUTINE SURLNR(XS,SUW,DMEAN,SIGMA)

Z0 = (ALOG(XS)-DMEAN)/SIGMA

SUW = 1-CDFN(Z0)

RETURN

END

CC

C SUBROUTINE SURVIVAL FUNCTION OF GOMPERZT

CC

SUBROUTINE SURGMT(XS,SUW,B,C)

A1 = 1.0-C**XS

A2 = A1*B/ALOG(C)

SUW = EXP(A2)

RETURN

END

CC

C SUBROUTINE ERROR OF BAND

CC

SUBROUTINE ERRBD(UBD,VBD,SUW,ENN)

IF (UBD LT. SUW) GOTO 30

IF (VBD .GT. SUW) GOTO 30

ENN = ENN+1.0

30 RETURN

END

=====

C SUBROUTINE WIDTH OF BAND

=====

SUBROUTINE WIDEBD(UBD,VBD,WBD)

WBD = UBD-VBD

RETURN

END



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